

# Dual-laser homo-FRET on the cell surface

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**Key words:** inhomogeneous broadening, solvent relaxation, red-edge effect, blue-edge effect, directed energy migration FRET, fluorescence anisotropy, fluorescence polarization, rotational mobility, proximity, receptor association, receptor cluster, flow cytometry, fluorescence anisotropy lifetime imaging microscopy (rFLIM).

**Running title:** Homo-FRET and rotation distinguished by site-selective spectroscopy

**Abbreviations:** FRET, fluorescence resonance energy transfer; MHCI/MHCII, Class I/Class II Major Histocompatibility Complex protein;  $\beta_2m$ , beta-2 microglobulin, the light chain (l.c.) component of MHCI; mAb, monoclonal antibody.

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## Abstract

Inhomogeneous broadening and red-edge effects have been detected on a highly mobile system of fluorescently conjugated mAbs targeted to cell surface receptors. By exploiting site-selective spectroscopy and the characteristic loss of homo-FRET on increasing excitation and decreasing emission wavelengths, contributions of physical rotation and homo-FRET to the depolarization of fluorescence anisotropy have been separated. Absolute homo-FRET efficiency has been determined by ratioing two anisotropies: a homo-FRET-sensitive one, which is excited at the absorption main band and detected at the long wavelength region of emission, and a homo-FRET-insensitive one, which is excited at the long wavelength region of absorption and detected at the short wavelength region of emission. Because the anisotropies are simultaneously detected in a unified detection scheme of a dual T-format arrangement, the method is applicable for the real-time tracking of dynamical changes of physical rotations and proximities. The utility of the method is demonstrated in the context of the MHCII molecule and the heavy and light chains of the MHCI molecule, a system of three receptors with well-characterized close mutual proximities. Although the method is presented for a flow cytometer, it can also be realized in a fluorescence microscope capable for dual-laser excitation and dual-anisotropy detection.

## Introduction

Homo-energy transfer (homo-FRET) is an important phenomenon for detecting and quantifying receptor clusters in the 1-10 nm inter-receptor separation range by using a single type of fluorophore [1-9]. Generally it is measured through its depolarizing effect exerted on the fluorescence anisotropy. Because possible rotational Brownian-motion of the fluorophores could also contribute to depolarization of anisotropy, homo-FRET can most readily be detected for systems possessing highly restricted rotational mobility on the nsec time-scale, e.g. different kinds of visible fluorescent proteins (VFPs) [1, 10, 11]. In the more general case of fluorophores having substantial rotational mobility, a common way of separating the effects of homo-FRET and rotational motion is changing the concentration of fluorophores by either applying different amount of dyes for labeling or by photobleaching [12, 13]. The limitations of these approaches are that they require multiple samples and/or they are not reversible precluding real time monitoring of dynamic processes when both proximity and mobility can change simultaneously. Additionally photobleaching may be applied mainly in microscopy rather than flow cytometry due to the required high light doses. A reversible way of depressing homo-FRET may be absorption saturation, but this may require high illumination intensities which may interfere with life processes [14].

Aiming at the generalization of the approach set out by A. Squire *et al.* [10] - who measured homo-FRET between practically immobile VFP chromophores - for systems having larger degree of rotational mobility than VFP, we propose an alternative method for the isolation and the optimization of the detection of homo-FRET. It is accomplished by exploiting the characteristic wavelength dependencies of homo-FRET, i.e. the absorption red-edge and emission blue-edge effects [11, 15-20], shown in the presence of inhomogeneous broadening.

Inhomogeneous broadening is the phenomenon when the molecular energy levels become distributed due to different interaction strengths with the local environment, such as solvent shells, protein and lipid milieus. Because the energy levels of different molecules are affected differently, this broadening is called inhomogeneous, in contrast to the homogenous broadening when the energy levels of all molecules are affected the same fashion (e.g. vibrational- or thermal-broadening, velocity- or Doppler-broadening, natural-broadening of spectra). While the deeply lying energy levels are occupied by the most strongly interacting particles, the upper lying levels are occupied by the weakly interacting ones. In the method called site photoselection, it is possible to monitor only a specified subpopulation of the total one at custom according to the strength of interaction with the environment. This is achieved with narrow-band light sources tuned in wavelength to the energy of the subpopulation in interest. Specific, environment sensitive "2-state" dyes working on these principles have developed recently for monitoring fluidity gradients in membranes, membrane surface potential, dipole potential, and lipid phase transitions ("potential and fluidity probes", "polarity dyes") [17-19]. Because FRET is governed by the spectral overlap between absorption and emission spectra, molecular rendering according to energy levels introduces directionality in FRET, implying energy migration in the direction of decreasing energy (Fig. 1, Panel A) [20]. The absorption red-edge effect – discovered by G. Weber in 1960 [16] – and the emission blue-edge effect are consequences of this general principle, and they refer to failure of FRET due to the depletion of energy acceptors and donors for FRET, respectively (Fig. 1, Panel B).

Concerning first the absorption red-edge effect, elimination of the effect of rotational depolarization may be attempted by ratioing two anisotropy values simultaneously measured at the maximum and at the long wavelength edge of the absorption spectrum (red-edge), the latter anisotropy being dependent only on rotation, while the former being dependent on both

homo-FRET and rotation. The emission counterpart of this phenomenon, called the blue-edge effect, also exists: While the anisotropy detected at the maximum of the emission spectrum is affected by both rotation and homo-FRET, the one detected at the short wavelength emission edge (blue-edge) is affected by only rotation, thereby offering another possibility for the elimination of the effect of rotation by ratioing two appropriate anisotropies. By combining these two effects for increasing efficiency, we aimed to separate rotation and homo-FRET by sequentially photoselecting a subpopulation sensitive mainly to rotation, accomplished with red-edge excitation, blue-edge emission, and another one equally sensitive for both rotation and homo-FRET, accomplished with main-band excitation, red-edge emission, in a flow cytometer. Besides the spectral heterogeneity, and directionality in FRET however, heterogeneities in other spectral characteristics such as fluorescence lifetime and rotational correlation time, may also arise, which can be taken into account in a calibration procedure.

We first demonstrate the existence of the red-edge effects for the surface-tethered dyes. Then we show the feasibility of a hybrid approach which takes into account both the aforementioned red-edge and blue-edge effects for an efficient separation of the depolarizing effects of homo-FRET and rotation in flow cytometric dual-laser dual-anisotropy homo-FRET determinations in clusters of the MHCI and MHCII molecules. These are two important cell surface immune receptors vital in the initiation of T-cell mediated immune responses [4, 21]. The receptors were labeled with fluorescently stained mAbs. Practical questions such as sensitivity of the method to the strength of homo-FRET, the dye's tethering motion, and segmental flexibility of the dye-docking protein moieties have been addressed by applying different types of fluorophores such as Alexa Fluor-488 (A488) and the highly mobile xFITC, a dye with a 7-atom spacer, for staining the Fab portions as well as the whole versions of mAbs at different dye/protein labeling ratios. The significance of the approach is that it enables the separation the depolarizing effects of homo-FRET and rotational motion, i.e. it enables the simultaneous estimation of proximity and rotational mobility of receptors by using only a single cell sample in steady state conditions. The fact that the extent of rotational motion can be estimated besides FRET may gain special importance, because it may offer the feasibility for the estimation of orientation factor ( $\kappa^2$ ) and consequently the distance from the measured homo-FRET efficiencies [22-24].

## Materials and methods

### *Cell line*

The Kit-225-K6 cell line is a human T cell with helper phenotype and with an IL-2 requirement for its growth [25]. Cells were cultured in RPMI-1640 medium supplemented with 10% fetal calf serum, penicillin and streptomycin. To the Kit-225-K6 cells 20 U/ml recombinant interleukin-2 (IL-2) was also added in every 48 hours.

### *Monoclonal antibodies*

The production and specificity of monoclonal antibodies (mAbs) applied in the experimental procedures have been described earlier [26, 27]. MAb W6/32 (IgG<sub>2aκ</sub>) and L368 (IgG<sub>1κ</sub>) developed against a monomorphic epitope on the  $\alpha_2$ ,  $\alpha_3$  domains of the heavy chain and the  $\beta_2$ -microglobulin of MHCI, respectively; mAb L243 (IgG<sub>2aκ</sub>) against MHCII, DR $\alpha$  were kindly provided by Dr. Frances Brodsky (UCSF, CA). Additional mAbs used in

spectrofluorimetric measurements: MEM85 (IgG<sub>2b</sub>) anti-CD44, OKT3 (IgG<sub>2b</sub>) anti-CD3. These mAbs were prepared from supernatants of hybridomas and were purified by affinity chromatography on protein A-Sepharose.

### *Preparation of Fab fragments*

Fab fragments of the purified antibodies were prepared by papain digestion at an antibody/enzyme (w/w) ratio of 100, at 37 °C for 4-12 h [28]. The digestion products were subjected to ion-exchange chromatography on DEAE-Sephacel (Pharmacia). The Fab fragments eluted in the flow-through fraction were freed of undigested IgG and of the Fc fragments. Control of the digestion and Fab purification was carried out by SDS/PAGE, enzyme immunoassay, and size-exclusion chromatography on Sephacryl S-100 or analytical ultracentrifugation (Beckman Model E).

### *Fluorescent staining of antibodies*

Aliquots of the proteins for fluorescence conjugation were labeled with 6-(fluorescein-5-carboxamido)hexanoic acid, succinimidyl ester (xFITC) (Molecular Probes, Eugene, OR) or the Alexa-Fluor 488 (A488) as the donor (and acceptor) dyes. xFITC has a large amplitude tethered motion (segmental mobility) because it contains a 7-atom aminohexanoyl spacer ("x") between the fluorophore and succinimidyl ester moieties. Kits provided with the dyes were used for the conjugation. Detailed labeling procedure of the mAb was described earlier [29, 30]. Dye-per-protein labeling ratios for the A488-conjugated whole L243, L368, and W6/32 mAbs (Fabs) were 2.4 (0.47), 3.16 (1.1), and 1.8 (0.85), respectively. Labeling ratios for xFITC-conjugated L243, L368 and W6/32 whole mAbs (Fabs) were 4.9 (1.0), 3.9 (1.95), and 3.71 (0.71) respectively. Labeling ratios of additional mAbs used in spectrofluorimetric "free A488-mAb" experiments were: 1.64, 2.41, and 3.92 for W6/32, OKT3, and MEM85 respectively. These values were separately determined for each labeled aliquot in a spectrophotometer (Hitachi U-2900, NanoDrop ND-1000). The labeled proteins retained their affinity as proven by competition experiments with identical, unlabeled ligands.

### *Labeling of cells with mAbs*

Freshly harvested cells were washed twice in ice cold PBS (pH 7.4), the cell pellet was suspended in 100 µl of PBS (10<sup>6</sup> cells/ml) and labeled by incubation with ~10 µg of dye-conjugated mAbs for 40 min on ice in the dark. The excess of mAbs was at least 30-fold above the K<sub>d</sub> during incubation. To avoid possible aggregation of the dye-conjugated mAbs, they were air-fuged (at 110,000 g, for 30 min) before labeling. Special care was taken to keep the cells at ice cold temperature before FRET measurements in order to avoid unwanted aggregations of cell surface receptors or receptor internalization. Labeled cells were washed twice with ice cold PBS and then fixed with 1% paraformaldehyde. In the titration experiments using the A488-L243, A488-L368, and A488-W6/32 mAbs, the final concentrations in µM were 0.6, 0.4, and 0.5, respectively.

### *Determination of expression levels of receptors*

The relative expression levels of receptors on Kit-225-K6 cells were: MHCI,  $100 \pm 13.3\%$ ; MHCII,  $76.6 \pm 8.6\%$ , where the 100% level means  $(1.0-1.5) \times 10^6$ . The number of binding sites was determined from the mean values of flow-cytometric fluorescence intensity histograms of cells labeled to saturation with the dye-conjugated mAbs (Scatchard-analysis). The mean fluorescence intensities were converted to the number of binding sites by calibration with fluorescent micro beads having known number of fluorescent dyes (Quantum<sup>TM</sup> Alexa-Fluor 488 MESF, Bangs Laboratories, Inc.). They were also used for the calibration of the forward angle light scattering (FSC) signals in the determination of size of Kit-225-K6 cells, which is 13-14  $\mu\text{m}$ .

#### *Spectrofluorimetry of labeled cells, free dye and free mAbs*

Fluorescence polarized spectra, from which anisotropy spectra was computed, have been recorded with a Fluorolog (Jobin Yvon-Spex) spectrofluorimeter with 5-nm slit widths. In experiments with free dye and free mAbs glycerol (spectroscopic grade, Sigma-Aldrich) has also been added in 33% and 67% volume fractions (v/v) to the free dye or mAbs dispersed in PBS. Spectral recordings have been taken up at room temperature. Anisotropies shown on Fig. 4s in the *Supporting information* have been computed by averaging anisotropy spectra on the 570-600 nm spectral range.

#### *Flow cytometric dual-laser dual-anisotropy measurements*

Cell-by-cell basis correlated measurements of the polarized intensity components – from which the total intensities and anisotropies are calculated – were carried out in the „dual T-format” arrangement [31] depicted in Fig. 2. It was realized in a modified FACStar<sup>Plus</sup> flow cytometer (Becton-Dickinson) equipped with single-laser excitation facility (Stabilite 2017 Ar<sup>+</sup>-laser, Spectra-Physics Inc. Mountain View, CA, USA), with the laser operating in the “single line” mode set to each of the wavelengths 457.9, 476.5, 488, 496.5 and 514.5 (nm) for recording titration plots like the ones on Fig. 3. For measuring absolute homo-FRET efficiency, for which dual-laser excitation is required, the laser was operated in “all lines” mode containing all the above wavelength in a single beam. After introducing into the flow cytometer through a polarization rotator – ensuring determination of the G-factor – the laser beam was deviated with 90° and subsequently split into colours by a Pellin-Broca prism (a kind gift of Prof. Zsolt Bor, Institute of Optics and Optical Engineering, Szeged, Hungary) mounted into the exciting path of the flow cytometer, before reaching the main focusing lens L<sub>1</sub> on Fig. 2. The beam-pair for excitation could be chosen at custom with a suitable pair of pinholes cut into a metal sheet and by adjusting the delay-time (30  $\mu\text{s}$  in Fig. 2) between the collected fluorescence signals in the cytometer’s electronic console. The green (FRET-insensitive) and red (FRET-sensitive) components of total fluorescence were separated by an LP 550 dichroic mirror (DM in Fig. 2, manufactured by Ferenc Kárpát at the Central Physics Research Institute, Budapest, Hungary) and subsequently were fed via two band-pass filters (HQ535/25 for signal I<sub>1</sub>, and HQ 640/120 for signal I<sub>2</sub>, AF Analysentechnik, Tübingen) into two broadband polarization beam splitter cubes (10FC16PB.3, Newport) with green and red sensitive photomultipliers (Hamamatsu) at their output ports defining the 4 polarized intensity channels (I<sub>1h</sub>, I<sub>1v</sub>, I<sub>2h</sub>, I<sub>2v</sub>). For the determination of the G-factor of each fluorescence channel, the originally vertical polarization direction of laser light is rotated by 90° with a Fresnel double rhomb-polarization rotator (Broadband Polarization Rotator, Model PR-550, Newport)

positioned between the laser and the cytometer for both the “single-line” and “all-lines” excitation modes.

### *Computation of total intensities and anisotropies*

Four polarized intensities have been detected for each signal channel [31, 32]:  $I_{i,vv}$ ,  $I_{i,vh}$ ,  $I_{i,hv}$ , and  $I_{i,hh}$ , with the first index  $i$  designating the signal channel ( $i=1, 2$ ), the second and third ones referring to the polarization direction of the exciting laser light and that of the fluorescence, respectively (Fig. 2). The signals with the horizontal excitation are detected after the vertical excitation by rotating the polarization direction with  $90^\circ$ . After subtracting the corresponding background intensities measured on the unlabeled cells from the polarized intensities, the correction factors  $G_i$  ( $i=1, 2$ ) balancing the sensitivities of vertical and horizontal fluorescence channels, the total fluorescence intensities  $I_i$ , and the fluorescence anisotropies  $r_i$  were calculated as follows:

$$G_i = I_{i,hv} / I_{i,hh}, \quad (1)$$

$$I_i = I_{i,vv} + \hat{a}(\psi) \cdot G_i \cdot I_{i,vh}, \quad (2)$$

$$r_i = (I_{i,vv} - G_i \cdot I_{i,vh}) / I_i. \quad (3)$$

In the above expression for the total intensities  $I_i$  ( $i=1, 2$ ) a numerical correction for the high aperture fluorescence collection was carried out according to T. M. Jovin [4, 32] by using the term  $\hat{a}(\psi) \equiv 1 + \cos\psi \cdot (1 + \cos\psi)/2$ , where  $\hat{a}(\psi)$  assumes a value of 1.72 for our numerical aperture of  $NA=0.6$ , and  $\psi$  stands for the half angle of the detected light cone. The anisotropy and total intensity values were computed on a cell-by-cell basis from the correlated  $I_{i,vv}$  and  $I_{i,vh}$  intensities with predetermined values of the  $G_i$  factors as input parameters. Based on Eq. 2 the  $r_{corr}$  aperture-corrected anisotropy can be written as the function of the  $r$  uncorrected one as follows:  $r_{corr} \equiv 3 \cdot r / \{1 + \hat{a}(\psi) + r \cdot [2 - \hat{a}(\psi)]\}$ .

The mean values of fluorescence anisotropy and total intensity histograms measured on the dye-labeled cells ( $\sim 10^4$ ) were further used for the calculation of the absolute homo-FRET efficiencies  $T_0$ ,  $T$ , and the homo-FRET enhancements  $\eta$ , the most important resulting quantities of the method. The generation and subsequent analysis of flow cytometric histograms (such as those on Figs. 8-10) and 2-dimensional correlation plots (dot-plots) of total fluorescence intensities, fluorescence anisotropies, and homo-FRET efficiencies were performed by a home-made software specialized for flow cytometric data analyses called Reflex, written by G. Szentesi [32], freely downloadable from <http://www.biophys.dote.hu/research.htm>, and <http://www.freewebs.com/cytoflex.htm>.

## **Theoretical results**

### *Homo-FRET enhancement factors measured on receptor-trimers*

If the intensities and anisotropies of samples singly labeled by mAbs  $\{mAb_x, mAb_y, mAb_z\}$  are denoted by  $I_x, I_y, I_z$  and  $r_x, r_y, r_z$  (Fig. 3, Panel A) then the intensity weighted average of anisotropy for the sample doubly-labeled with  $mAb_x$  and  $mAb_y$ :

$$\bar{r}_{xy} = (I_x \cdot r_x + I_y \cdot r_y) / (I_x + I_y), \quad (4)$$

with similar equations for  $\bar{r}_{xz}$  and  $\bar{r}_{yz}$  of the  $mAb_x$ - $mAb_z$ ,  $mAb_y$ - $mAb_z$  pairs. The intensity weighted average of anisotropy for the sample triply-labeled with  $mAb_x$ ,  $mAb_y$ , and  $mAb_z$  can be computed analogously:

$$\bar{r}_{xyz} = (I_x \cdot r_x + I_y \cdot r_y + I_z \cdot r_z) / (I_x + I_y + I_z) \quad (5)$$

For the triply-labeled sample another intensity weighted anisotropy (“grand-average”) can be defined with the intensities  $I_{xy}$ ,  $I_{xz}$ ,  $I_{yz}$  and anisotropies  $r_{xy}$ ,  $r_{xz}$ ,  $r_{yz}$  of the doubly-labeled samples:

$$\bar{r}_{xyz} = (I_{xy} \cdot r_{xy} + I_{xz} \cdot r_{xz} + I_{yz} \cdot r_{yz}) / (I_{xy} + I_{xz} + I_{yz}) \quad (6)$$

Pair-wise homo-FRET enhancement factor ( $\eta_{xy}$ ) is defined as the relative decrease of the average anisotropy introduced by the proximity of  $mAb_x$  and  $mAb_y$  as compared to the average of the respective singly-labeled ones ( $\bar{r}_{xy}$ ):

$$\eta_{xy} = 1 - r_{xy} / \bar{r}_{xy}, \quad (7)$$

where  $r_{xy}$  is the measured anisotropy of the  $mAb_x$ - $mAb_y$  – potentially interacting – pair. Triple-wise homo-FRET enhancement factor ( $\eta_{xyz}$ ) is defined analogously as the relative decrease of the average anisotropy introduced by the mutual proximity of  $mAb_x$ ,  $mAb_y$ , and  $mAb_z$  as compared to the average of the singly-labeled ones ( $\bar{r}_{xyz}$ ):

$$\eta_{xyz} = 1 - r_{xyz} / \bar{r}_{xyz}, \quad (8)$$

where  $r_{xyz}$  is the measured anisotropy of the  $mAb_x$ - $mAb_y$ - $mAb_z$  triplet. Differential homo-FRET enhancement factor ( $d\eta_{xyz}$ ) is defined analogously as the relative decrease of the average anisotropy of the triply labeled samples as compared to the average of the doubly-labeled ones ( $\bar{r}_{xyz}$ ):

$$d\eta_{xyz} = 1 - r_{xyz} / \bar{r}_{xyz}. \quad (9)$$

### *Absolute homo-FRET efficiency determination*

Because of the possible homo-associations of the different receptor kinds, the initial values of anisotropies may already be influenced by homo-FRET which is not reflected in the above described homo-FRET enhancement values. Absolute homo-FRET efficiencies reflecting both the initial homo-FRET and its enhancement will be defined next, as the ratios of two anisotropies measured in homo-FRET sensitive ( $r_2$ ) and insensitive ( $r_1$ ) channels. Our starting point is a factorizing out the two anisotropies in terms of the depolarization factors [22-24] for rotation and FRET ( $d_{rot,i}$ ,  $d_{t,i}$   $i=1, 2$ ) (Fig. 4) and the zero-time limiting (starting) anisotropy  $r_0$ :

$$r_i = r_0 \cdot d_{rot,i} \cdot d_{t,i}. \quad (10)$$

In Eq. 10 the same  $r_0$  is used for both detection channels, because processes taking place on time scales much shorter than the fluorescence lifetime (e.g. psec-torsional rotations) are responsible for its value. Values of  $r_0$  can be determined in the steady state by recording donor Perrin-plots in the presence of quenching or FRET, or in the time-domain by anisotropy FLIM (rFLIM). As to the geometric meaning, the rotational and FRET depolarization factors can be traced to the half-cone angles  $\theta_{rot}$  and  $\theta_t$  on Fig. 4:

$$d_{\text{rot}} = [3 \cdot \cos^2(\theta_{\text{rot}}) - 1]/2, \quad (11)$$

$$d_t = [3 \cdot \cos^2(\theta_t) - 1]/2. \quad (12)$$

After introducing the rotational strengths  $\sigma_i$  defined in terms of the lifetimes  $\tau_i$  and the  $\phi_{\text{rot},i}$  rotational correlation times ( $i=1, 2$ ) – called also “rotational efficiencies” – as

$$\sigma_i \equiv \tau_i / \phi_{\text{rot},i}, \quad (13)$$

as a 2<sup>nd</sup> form, the rotational depolarization factors can also be written in terms of the rotational strengths:

$$d_{\text{rot},i} = 1/(1 + \sigma_i). \quad (14)$$

The 2<sup>nd</sup> form of depolarization factors for homo-FRET are defined analogously, with the  $A_i$  ( $i=1, 2$ ) “normalized rate constants” for homo-FRET:

$$d_{t,i} = 1/(1 + A_i), \quad (15)$$

where  $A_i$  is defined as

$$A_i = k_{t,i} \cdot \tau_i. \quad (16)$$

By writing Eq. 10 for 2 arbitrary detection channels (1, 2), it can be seen that in the most general case we have only 2 measured parameters ( $r_1, r_2$ ) and 5 unknowns: the  $r_0$  limiting anisotropy, supposedly the same for the two channels, the  $\tau_1/\phi_{\text{rot},1}$  and  $\tau_2/\phi_{\text{rot},2}$  “normalized rotational rates” (“rotational efficiencies”), and the  $A_1$  and  $A_2$  “normalized homo-FRET rate constants” in the two channels. In contrast to the identity of the  $r_0$  limiting anisotropy in the two channels, these latter quantities are supposedly different from each other because the two channels represent different photoselected microenvironments of the fluorophores characterized by different strength of interactions. To proceed, however, we assume that both the ratio of the normalized rotational rates and the ratio of homo-FRET rates are constants known from previous calibrations or assumptions, e.g. an assumption on the level of residual homo-FRET in the homo-FRET insensitive channel. We introduce the spectral correction factor  $\beta$  taking into account the difference in the  $\sigma_i$  ( $i=1, 2$ ) “rotation strengths”

$$\beta \equiv (1 + \sigma_2)/(1 + \sigma_1), \quad (17)$$

and the  $\gamma$  factor comparing the homo-FRET levels in the two channels

$$\gamma \equiv A_1/A_2. \quad (18)$$

By comparing Eq. 16 for  $\beta$  with Eq. 13 we can see that  $\beta$  can also be expressed with the rotational depolarization factors ( $d_{\text{rot},i}$ ,  $i=1, 2$ ) as follows:

$$\beta = d_{\text{rot},1}/d_{\text{rot},2}. \quad (19)$$

By using Förster’s formula connecting the FRET rate constant and lifetime product – i.e.  $A_i$  according to Eq. 16 – to the characteristic Förster distances  $R_{0,i}$  and the inter-chromophore distance  $R$ , written for signal channel  $i$  as:

$$A_i = (R_{0,i}/R)^6, \quad (20)$$

$\gamma$  can be expressed with the ratio of the  $R_0$ -s for the two channels:



$$\gamma = (R_{0,1}/R_{0,2})^6. \quad (21)$$

By assuming known values of the  $\beta$  and  $\gamma$  spectral corrections, and using the definition of the homo-FRET efficiency in channel 2, designated as  $T$ ,

$$T = A_2/(1 + A_2), \quad (22)$$

after taking the ratio ( $r_2/r_1$ ) of the two anisotropies factorized according to Eq. 10,  $T$  can be expressed with the correction factors and the anisotropy ratio as follows:

$$T = (1 - \beta \cdot r_2/r_1)/(1 - \gamma). \quad (23)$$

By introducing the uncorrected homo-FRET efficiency  $T_0$  obtainable from Eq. 22 for the ideal case of identical rotational strengths in the two channels ( $\beta=1$ ) and complete absence of homo-FRET ( $\gamma=0$ ) in the homo-FRET insensitive channel,

$$T_0 = 1 - r_2/r_1, \quad (24)$$

$T$  can be cast in the alternative forms as expressions of  $\beta$ ,  $\gamma$ , and  $T$ :

$$T = [T_0 \cdot \gamma + (1 - T_0) \cdot (1 - \beta)]/(1 - \gamma) + T_0, \quad (25)$$

$$T = [(1 - \beta) + \beta \cdot T_0]/(1 - \gamma). \quad (26)$$

By inspecting Eqs. 23, 25 the correction factors  $\beta$  and  $\gamma$  always increase the value of the homo-FRET efficiency – i.e.  $T > T_0$  – whenever the  $\beta < 1$  and  $\gamma > 0$  relations hold. Because complete lack of homo-FRET in the insensitive channel can not be guaranteed, small positive values can be expected for  $\gamma$  expressing the degree of residual homo-FRET. As to  $\beta$ , because in the FRET insensitive channel the fluorophore-environment interactions are expected to be larger than in the FRET sensitive channel, implying also smaller lifetime and larger rotational correlation time in this channel, the validity of the  $\beta < 1$  relation can be expected on the basis of Eq. 17.

After expressing the absolute homo-FRET efficiencies  $T_1$  and  $T_2$  ( $T_2=T$ ) with the corresponding  $A_i$  parameters similarly to Eq. 21, the FRET depolarization factors  $d_{t,i}$  can be expressed in terms of  $T_i$ :

$$d_{t,i} = 1 - T_i. \quad (27)$$

In the 1<sup>st</sup> detection channel when  $T_1=0$  – i.e.  $d_{t,1}=1$  according to Eq. 26 – in the knowledge of  $r_0$  the rotational depolarization factor  $d_{rot,1}$  can be expressed from Eq. 10 (written for  $i=1$ ) as:

$$d_{rot,1} = r_1/r_0, \quad (28)$$

which can be solved for the rotational correlation time  $\phi_{rot,1}$  in the knowledge of  $\tau_1$  (Eqs. 13, 14). Alternatively, by considering the 2<sup>nd</sup> detection channel in Eq. 10,  $d_{rot,2}$  can also be expressed in a similar way with the known parameters  $r_0$  and  $T_2$  ( $T_2=T$ ):

$$d_{rot,2} = r_2/[r_0 \cdot (1 - T)], \quad (29)$$

where Eq. 27 was also used for expressing  $d_{2,t}$  in terms of  $T$ .

*Calibration of homo-FRET efficiency*

The  $\beta$  and  $\gamma$  spectral correction factors can be determined by recording fluorescence anisotropy as the function of changing fluorophore concentration, i.e. via recording homo-FRET titration Perrin-plots. On the cell surface this condition can be realized by applying a gradually increasing concentration series of the labeling mAbs. After plotting the reciprocal anisotropy as the function of degree of saturation  $p$  – probability of receptor occupation, the fraction of binding sites occupied by ligands –, defined as the fluorescence intensity referenced to that at saturation, i.e.  $p \equiv I(c)/I_{\max}$ , a fairly linear curve results, the linear fitting of which makes possible the separation of the effects of rotational motion and homo-FRET on anisotropy. The point of this procedure is in that it effectively eliminates the need for negative control sample of zero homo-FRET, because by gradually decreasing the cell surface concentration of the fluorophores the zero homo-FRET condition is realized at the limiting case when  $c \rightarrow 0$  even if the labeling ratio of ligand is larger than unity, i.e. the need for a zero-FRET negative control is replaced by a limiting procedure.

The analytical form of the fitting function can be obtained by taking the reciprocal of the anisotropy as factorized out according to Eq. 10 [4, 34], by also taking into account the definitions of the  $d_{\text{rot}}$  and  $d_t$  depolarization factors formulated in Eqs. 14, 15:

$$1/r(p) = 1/r' + (1/r') \cdot A \cdot p, \quad (30)$$

where  $r'$  – meaning the homo-FRET free anisotropy – has been defined as

$$r' \equiv r_0 / (1 + \sigma). \quad (31)$$

According to Eq. 30  $r'$  can be obtained as the reciprocal intercept ( $1/\text{intercept}$ ) and  $A$  as the ratio of the slope and intercept (slope/intercept) of the fitting straight line. By carrying out this procedure in both the FRET sensitive (2<sup>nd</sup>) and insensitive (1<sup>st</sup>) channels the  $\beta$  and  $\gamma$  factors can be obtained as the ratios of the corresponding  $r'$  and  $A$  quantities, respectively, according to the defining Eqs. 17, 18. Although the maximum local fluorophore concentration dictated by the receptor number and the labeling ratio and other factors are involved in the  $A$  quantity for each mAb, it drops out from  $\gamma$  because of ratioing, consequently  $\gamma$  depends only on the fluorophore properties.

#### *Connection between homo-FRET enhancement and absolute efficiency*

The main use of the homo-FRET enhancement factors lies in that they can be regarded as a clear measure of the degree of proximity of neighboring receptors because by ratioing the depolarizing effects of rotation and homo-FRET on the individual ligands cancel in the formulae, albeit reducing sensitivity to the receptor proximities. Only the differential homo-FRET effect due to the receptor proximity remains. Among the factors limiting their application is that in cases of multiple receptor labeling chance for quenching by dim dye complexes increases, consequently the fluorescence lifetime reduces and the induced hyperpolarization partly counteracts the depolarizing effect of homo-FRET. Another limit can arise at large dye-per-ligand labeling ratios, when the depolarizing effect of homo-FRET may effectively be restricted to the ligand itself (“homo-FRET confinement”) thereby reducing sensitivity to the receptor proximities.

In contrast to the homo-FRET enhancements, homo-FRET efficiency reflects homo-FRET between receptors and also on the individual ligands. Nevertheless, FRET efficiency enhancements can also be formed similarly to the above homo-FRET enhancements

(percentile anisotropy reductions). Differential FRET efficiency ( $\delta T$ ) can be defined as an absolute increase in FRET efficiency due to the proximity of two (or more) receptors, and measured as the absolute difference between the FRET efficiency measured on the multiply labeled (labeled with both  $mAb_x$  and  $mAb_y$ ) sample ( $T_{xy}$ ) and the intensity weighted average efficiency of the singly labeled ones ( $\bar{T}$ ), labeled with either  $mAb_x$  or  $mAb_y$  labels ( $\bar{T}$ ):

$$\delta T \equiv T_{xy} - \bar{T}, \quad (32)$$

where  $T_{xy}$  and  $\bar{T}$  are written as

$$T_{xy} = 1 - r_{2,xy} / r_{1,xy}, \quad (33)$$

$$\bar{T} = (I_{1,x} \cdot T_x + I_{1,y} \cdot T_y) / (I_{1,x} + I_{1,y}). \quad (34)$$

(Although these FRET efficiencies are not corrected with  $\beta$  and  $\gamma$ , from here on in this section the subscript zero indicating this fact is neglected for the sake of transparency. Additionally all results of this section remain valid also for the corrected FRET efficiencies.)

First, by introducing the homo-FRET enhancements  $\eta_i$  for channel  $i$  ( $i=1, 2$ ) according to Eq. 7,

$$\eta_i \equiv 1 - r_{i,xy} / \bar{r}_i, \quad (35)$$

with  $r_{i,xy}$  the anisotropy of the sample doubly labeled with both species  $x$  and  $y$ , and the average anisotropy  $\bar{r}_i$  defined as

$$\bar{r}_i \equiv (r_{i,x} \cdot I_{i,x} + r_{i,y} \cdot I_{i,y}) / (I_{i,x} + I_{i,y}), \quad (36)$$

and by eliminating  $r_{i,xy}$  ( $i=1, 2$ ) in Eq. 33 for  $T_{xy}$  with the help of Eq. 35,  $T_{xy}$  assumes the form

$$T_{xy} = 1 - \bar{r}_2 / \bar{r}_1 \cdot (1 - \eta_2) / (1 - \eta_1). \quad (37)$$

Then, by writing the individual FRET efficiencies  $T_x$  and  $T_y$  in terms of anisotropies according to Eq. 24 as

$$T_x = 1 - r_{2,x} / r_{1,x}, \quad (38)$$

and

$$T_y = 1 - r_{2,y} / r_{1,y}, \quad (39)$$

Eq. 34 transforms into

$$\bar{T} = 1 - \bar{r}_2 / \bar{r}_1. \quad (40)$$

After plugging the expressions of Eq. 37 and Eq. 40 for  $T_{xy}$  and  $\bar{T}$  into Eq. 32, by exploiting the approximation that the “inner average” equals “outer average”, i.e.

$$\bar{r}_2 / \bar{r}_1 \approx r_2 / r_1, \quad (41)$$

and by exchanging  $\bar{r}_2 / \bar{r}_1$  with  $\bar{T}$  via Eq. 40,  $\delta T$  translates into its final form readily amenable for interpretation:

$$\delta T \approx (1 - \bar{T}) \cdot (\eta_2 - \eta_1) / (1 - \eta_1). \quad (42)$$

According to Eq. 42 the differential FRET efficiency  $\delta T$  approximates well the difference in the homo-FRET enhancements for small average FRET efficiencies ( $\bar{T} \approx 0$ ) and small homo-FRET enhancements ( $\eta_1 \approx 0$ ) in the insensitive channel.

## Experimental results

### *Dispersion of homo-FRET titration curves*

#### *(I.) Qualitative description: Operation of red-edge effects on the cell surface*

Because the red-edge effects were originally discovered for systems of high rigidity and viscosity (colored plastics, glasses), the main concern for a possible application refers to the mere existence of these effects in the highly mobile systems of fluorophores targeted by mAbs to cell surface receptors. As a 1<sup>st</sup> type of experiment, homo-FRET was modulated by systematically changing the amount of fluorophore-conjugated mAbs bound to the MHCI and MHCII receptors – key receptors of adaptive immunity responsible for the presentation of foreign antigens on the infected target cells to the T-cell receptors (TcRs) of the killing and helper cells – having a substantial degree of homo-association [4, 21]. Apart from demonstrating the red edge effects on the cell surface, these measurements have also been utilized for calibration purposes, to determine the  $\beta$  and  $\gamma$  correction factors (Eqs. 17, 19) necessary for the accurate determination of absolute homo-FRET efficiency  $T$ .

Anisotropies of fluorescence excited with the visible lines of the Ar<sup>+</sup>-ion laser were simultaneously measured at the green (535/35, mean/width of transmission in nm) and red (640/120) emission channels ( $r_1$ ,  $r_2$ ) in the flow cytometer (Fig. 5, Panels A, B). The following features of the data are notable: (i) Both the green ( $r_1$ ) and red ( $r_2$ ) anisotropies substantially decrease with increasing concentration of the label at excitation wavelengths smaller than the excitation maximum (457.9, 476.5 and 488 in nm) with the largest effect observed at 457.9 nm, indicating the operation of homo-FRET at these excitations. (ii) A remarkably smaller degree of drop was observed at the excitation maximum 496.5 nm and no drop at all was observed at 514.5 nm, close to the red-edge. (iii) The intensity ratios  $I_2/I_1$  increase in parallel with the drop of the corresponding  $r_2/r_1$  curves (Fig. 5, Panels C, D) indicating a red shift in the emission spectrum proportional to the degree of homo-FRET. (iv) Although the starting values of the green and red anisotropies are practically the same, red anisotropies drop more steeply than the green ones, implying that sensitivity of the red anisotropy for homo-FRET is larger than that of the green one. That red anisotropy is more sensitive to homo-FRET than the green anisotropy is also shown by that the  $r_2/r_1$  ratio drops with increasing surface concentration of the fluorophore (Fig. 5, Panel D).

In addition to the  $I_2/I_1$  total intensity ratio, the  $[I_2/I_1]_{\text{rel}}$  and the  $[I_{2\text{vh}}/I_{1\text{vh}}]_{\text{rel}}$  quantities – analogues of logarithmic derivatives – (Fig. 5, Panels E, F) were also computed.  $[I_2/I_1]_{\text{rel}}$  refers to  $I_2/I_1$  ratios normalized to that special  $I_2/I_1$  ratio belonging to the smallest fluorophore concentration.  $[I_{2\text{vh}}/I_{1\text{vh}}]_{\text{rel}}$  designates an analogue quantity but computed from the horizontally polarized intensity components instead of the total intensities. This quantity is a more sensitive indicator of homo-FRET than either the  $I_2/I_1$  or the  $r_2/r_1$  ratio alone, the anisotropy and total intensity being contained in such a manner that the effects of reducing anisotropy and increasing  $I_2/I_1$  ratio add together.

As a summary, homo-FRET monotonously decreases with increasing excitation wavelength and is effectively cut at already the excitation maximum. These observations

imply the strong modulation of overlap integral with the changing excitation wavelength, which suggests a slow relaxation of the excited state. The slow relaxation rate is also implied by a value of 0.4 for the lifetime-per-rotational correlation time ratio ( $\tau/\phi_{\text{rot}}$ ) observed by us earlier [32] and now by rFLIM (see in *Supporting information*). A quantitative comparison of the  $I_2/I_1$  ratios as the function of excitation wavelength demands a correction to the different sensitivities of the detection channels (“ $\alpha$ -factor”) belonging to the different wavelengths [36].

## (II.) *Quantitative description: Determination of correction factors for homo-FRET*

For a more quantitative description of the above properties of the titration curves, least-squares linear fitting analyses – detailed in the “Supporting information” – of the reciprocal anisotropy vs. degree of binding site saturation curves plotted from anisotropy data of Fig. 5 for the MHCII receptor, and pertinent data on the light and heavy chain components of the MHCI receptor (not shown) has also been carried out to determine the  $\beta$  and  $\gamma$  correction factors in the spirit of Eq. 30. The outcomes of the linear fitting procedure carried out for each excitation wavelength – 457.9, 476.5, 488, 496.5 and 514.5 (nm) – are the homo-FRET free anisotropy ( $r'$ ) reflecting only rotation and the  $A$  quantity describing the strength of homo-FRET [4, 34]. By inspecting the relevant Fig. composed from these data it can be that: (i) While the homo-FRET-related quantity  $A$  increases with reducing excitation wavelength for all the three receptors in both emission channels, the slope of increase is much larger for the red than for the green channel. (ii) The slopes of increase of  $A$  are approximately the same for the different types of receptors indicating that the wavelength dependence of the  $A$  parameter is characteristic to the fluorophore rather than to the receptors. (iii) As to the wavelength dependence of the anisotropy  $r'$ , apart from the statistical fluctuation it stays constant at the same level for both the green and red channels for each receptor. The variability regarding receptor type is supposedly due to different segmental flexibilities of the dye.

To reduce measurement error the computation of the  $\beta$  factor has been carried out with  $r'$  values averaged over all wavelengths ( $\beta = r'_1/r'_2$ , Eq. 17). For the same reason, and because the wavelength dependence of  $A$  turned to be fairly linear, the determination of the  $\gamma$  factor have been carried out with the corresponding  $A$  values read off from the fitting trend lines – 514.5 nm in the green for  $A_1$ , and 488 nm in the red for  $A_2$  – instead of the primarily observed data points ( $\gamma = A_2/A_1$ , Eq. 18). The resulting correction factors, which have been subsequently used for the computation of  $T$  and  $\delta T$  in Tables 1, 1s and 2s, are the following (in the form  $\beta(\%)/\gamma(\%)$  for type mAb, each from 3 pairs of titration plots): 100.0 $\pm$ 12/5.8 $\pm$ 12.0 for L243, 94.5 $\pm$ 2.5/7.3 $\pm$ 1.2 for L368, 96.0 $\pm$ 15.4/13.0 $\pm$ 2.9 for W6/32.

## *Homo-FRET enhancement factors for receptor trimers*

In our 2<sup>nd</sup> type of experiments for demonstrating the red-edge effects, components of a receptor trimer in close proximity were labeled individually and simultaneously with the fluorophore-conjugated ligands (whole mAbs and their Fab fragments). The advantage of this kind of a homo-FRET system lies in its inherently large signal-to-noise ratio and in the possibility for a rather straightforward quantitation of homo-FRET. Pair wise (triple wise) homo-FRET enhancement factors  $\eta_{xy}$ ,  $\eta_{xz}$ ,  $\eta_{yz}$  ( $\eta_{xyz}$ ) are defined as the relative decrease of anisotropy of the doubly (triply) labeled samples  $r_{xy}$ ,  $r_{xz}$ ,  $r_{yz}$  ( $r_{xyz}$ ) compared with the intensity

weighted average of the corresponding single-labeled ones  $\bar{r}_{xy}$ ,  $\bar{r}_{xz}$ ,  $\bar{r}_{yz}$  ( $\bar{r}_{xyz}$ ) (Eqs. 4-9, Fig. 3). These quantities differ from zero only when the mutual proximity of two (three) different types of receptors enables new extra pathways for the homo-FRET between the fluorophores of the different labels. Remarkable is that, because of the ratioing, the effect of a possible rotational motion drops out, and the homo-FRET enhancement values reflect real homo-FRET changes. Differential homo-FRET enhancement ( $d\eta_{xyz}$ ) is defined by comparing the anisotropy of the triply labeled sample ( $r_{xyz}$ ) with the intensity weighted average of the doubly labeled ones ( $\bar{r}_{xyz}$ ). This value is different from zero whenever triplets of the receptors are present. Because the possible homo-associations of the different receptor kinds, the initial values of anisotropies can already be influenced by homo-FRET which is not reflected in the aforementioned homo-FRET enhancement values. Absolute homo-FRET efficiencies reflecting both the initial homo-FRET and its enhancement will be defined later, via the ratio of two anisotropies measured in different emission channels, in a favourable one, and in an unfavorable one for FRET.

#### *Dispersion of homo-FRET in A488-mAb trimers*

Pair wise and triple wise homo-FRET were measured in the system comprised of the light and heavy chains of the MHCI molecule (L368 anti- $\beta_2m$ , W6/32 anti-MHCI h.c.) and the MHCII molecule (L243 anti-DR $\alpha$ ). The same signals were detected as for recording the homo-FRET titration curves above. Inspecting the data (Fig. 6), the following statements can be made: (i) The red anisotropies ( $r_2$ ) are all systematically smaller than the corresponding green ones ( $r_1$ ), and show a larger degree of modulation concerning both excitation wavelengths and the number of labels (Fig. 6, Panels A, B). When their dependence on excitation wavelength is considered they both show a systematic increase with increasing excitation wavelength. (ii) Accordingly, the homo-FRET enhancement factors calculated from the red anisotropies are all larger than those calculated from the green ones (Fig. 6, Panels C, D). Additionally both enhancement factors increase steadily with reducing the excitation wavelength, in accordance with a larger degree of modulation of the anisotropies as the function of the number of labels at the shorter wavelengths. (iii) The  $I_2/I_1$  ratio is increased by increasing the number of the applied mAbs in a degree larger at the shorter wavelengths (Fig. 6, Panel E). (iv) The behavior of the  $r_2/r_1$  ratio is consistent with the behavior of the  $r_2$  and  $r_1$  anisotropies (Fig. 6, Panel F): With increasing excitation wavelength the  $r_2/r_1$  ratio increases, meanwhile showing less modulation at the larger wavelengths when the number of labels is considered. Pertinent data on A488-Fab trimers and xFITC-mAb trimers are shown on Figs. 1s, 2s in the *Supporting information*.

#### *Spectrofluorimetric detection of red-edge effects*

*(I.) Fluorescence spectra recorded on cells triple-labeled with A488-mAbs conform the presence of red-edge effects*

According to Fig. 7, Panel A, practically no difference can be seen between the peak positions of emission spectra  $I(\lambda)$  recorded at excitation wavelengths under 505 nm. However the significant shift of 6-7 nm in emission spectrum observed at 514 nm-excitation suggests that a substantial degree of static inhomogeneous broadening should be behind the observed red-edge effects. Anisotropy spectrum  $r(\lambda)$  seems to be more sensitive to the excitation

wavelength than the emission spectrum  $I(\lambda)$  (Panel B), the anisotropy spectrum being substantially enhanced already at the 505 nm-excitation. This observation is in good line with also the flow cytometric observations when the  $r_2/r_1$  anisotropy ratio was more significantly modulated by the changing excitation wavelength than the  $I_2/I_1$  intensity ratio (Figs. 5, 6, 1s, 2s). The remarkable decrease in  $r(\lambda)$  anisotropy spectrum with increasing emission wavelength suggests the operation of the blue-edge effect. Also this decrease seems to be larger at the shorter excitation wavelengths when homo-FRET is favored. On Panels C, D spectra are shown after division with those recorded at 514.5 nm. Pertinent spectra recorded for the xFITC-mAb trimer are shown on Fig. 3s in the *Supporting information*.

## (II.) Red-edge effects on free dyes and free mAbs

Additional control measurements have been carried out with a spectrofluorimeter in free solution condition in cuvettes on A488 dyes and A488-conjugated mAbs having different dye-per-protein labeling ratios in the presence of different amounts of glycerol to modify rotational mobility. On free dyes in a concentration not enough to show any homo-FRET the although the zero anisotropies measured at 488 and 514 excitation wavelengths in the absence of glycerol turned into successively larger ones with increasing amount of glycerol, they remained equal with each other, indicating the absence of any homo-FRET also in the presence of glycerol. However on free mAbs added in amounts to reproduce the bulk dye concentration of the free dye solution finite albeit small anisotropies have been observed even in the absence of glycerol which showed also a dependence on excitation wavelength. By increasing the amount of glycerol, although the anisotropies steadily increased, the difference experienced at the two excitations reduced. An interesting observation, which is also another indication of the presence of homo-FRET, is that while the absolute anisotropies showed a steady decrease with increasing labeling ratio of the mAbs their relative differences with respect to the excitation wavelength – the FRET-related  $[1 - r_2(488)/r_1(514)]$  quantity – showed an increase.

These results indicate that nano-scale clustering of dyes at the same bulk concentration where no homo-FRET were observed on free dyes gave rise to homo-FRET which manifested itself an excitation wavelength and labeling ratio-dependent homo-FRET. That the difference of anisotropies measured at the two wavelengths decreased with increasing amount of glycerol we explain with a decreased strength of homo-FRET due to the decreased rotational mobility and consequently a decrease in orientation factor for FRET. On the details of these experiments and data please see *Supporting information*.

## Computation of absolute homo-FRET efficiency

The depolarizing effects of rotation and homo-FRET were separated by applying Soleillet's orientation cones and the associated depolarization factors (Fig. 4, Panel B, Eqs. 10-29). The anisotropy can be written as the product of the initial anisotropy ( $r_0$ ) and the depolarization factors ( $d_{\text{rot}}$ ,  $d_i$ ) taking into account the different interactions leading to depolarization of anisotropy (Soleillet's theorem) [22-24]. The formalism is strictly valid only for isotropic and independent interactions, and for axially symmetric orientation distributions. Absolute homo-FRET efficiencies ( $T_0$ ,  $T$ ) were computed based on the Soleillet's theorem. In the ideal and simplest case when the  $r_0$  limiting anisotropy and the  $\tau/\phi_{\text{rot}}$  ratio is at least approximately the same in the two detection channels, furthermore the extent of homo-FRET in the red-edge

excitation/blue-edge emission channel (channel 1) is negligible ( $T_1 \approx 0$ ) – meaning in the language of correction factors  $\beta=1$ ,  $\gamma=0$  – the uncorrected homo-FRET efficiency ( $T_0$ ) can be calculated. After factorizing out the  $r_1$  and  $r_2$  anisotropies and taking their ratio the initial anisotropies and the rotational depolarization factors will cancel, leading to Eq. 24. This value has also been proven to be a minimum of homo-FRET efficiency in the non-ideal cases characterized by different rotational strengths ( $\beta < 1$ ) and a non-vanishing residual homo-FRET ( $\gamma > 0$ ) in the insensitive channel, i.e.  $T_0 < T$ . This implies that even in the lack of a detailed knowledge of the two detection channels – i.e. unknown  $\beta$  and  $\gamma$  – the simple FRET measure of  $T_0$  given simply by an anisotropy ratio can always be considered as a lower estimation of the real FRET efficiency.

As a computational example for the absolute homo-FRET efficiencies, the receptor trimer system of the MHCII,  $\beta_2m$ , and the MHCI h.c. receptors is considered in Table 1. Here  $T_0$  and  $T$  designate the absolute homo-FRET efficiencies computed from the primarily measured  $r_1$  and  $r_2$  anisotropies according to Eqs. 23, 24 and  $\delta T_0$  and  $\delta T$  their respective changes as defined in Eq. 32. The  $\beta$  and  $\gamma$  spectral correction factors taking into account that (i) lifetime rotational correlation time ratios may not be equal in the sensitive and non-sensitive channels ( $\beta$ ), (ii) the homo-FRET may not be perfectly vanishing in the non-sensitive channel (red-edge) ( $\gamma$ ) have been computed in advance from the intersections and slopes of reciprocal anisotropy-surface concentration titration Perrin-plots (Eq. 32) by the algorithm detailed in the theoretical part and in the *Supporting information*.

According to Table 1 Part A, all  $r_2$  anisotropies of the singly labeled samples are systematically smaller than the corresponding  $r_1$  anisotropies giving rise to a  $\sim 10\%$   $T_0$  FRET efficiencies ( $\overline{T_0} = 10.9 \pm 0.8\%$ ), which increase upon correction ( $\overline{T} = 15.1 \pm 0.6\%$ ). A trivial advantage of the absolute homo-FRET efficiency is the capability for measuring homo-FRET already on the singly labeled samples. Concerning sensitivity of  $T$  to the corrections,  $\beta$  seems to affect  $T$  more sensitively than  $\gamma$ . These  $T_0$  and  $T$  values report on substantial homo-associations of the A488 dye even when single mAbs have been used for labeling the cells. A portion of the homo-association is explained by the multiple-labeling of the individual mAb molecules – i.e. labeling ratios higher than unity –, another portion by the substantial homo-associations of the MHCII and MHCI receptors expressed at high levels ( $\sim 10^6$ ,  $\sim 1.5 \times 10^6$ , respectively) on the cell surface.

The resulting values in Part A have been further used with the corresponding intensities (not shown) to compute the pair-wise and triple-wise intensity averages – of  $\beta$ ,  $\gamma$ ,  $r_1$ ,  $r_2$ ,  $T_0$ , and  $T$  for the computation of  $\eta$ ,  $\delta T_0$ ,  $\delta T$  – necessary in Parts B and C as input parameters. From Part B we learn that, while upon the simultaneous application of two different ligands  $r_2$  systematically decreases,  $r_1$  stays steadily at the single labeled values. This is consistent with homo-FRET operating in the main band and vanishing at the red-edge. This same information can be obtained in an alternative quantitative form by computing the homo-FRET enhancements  $\eta_1$  and  $\eta_2$ , which are clear indicators of the cluster sizes. Accordingly, while  $\eta_1$  computed from  $r_1$  stays steadily close to zero ( $\overline{\eta_1} = -2.6 \pm 0.9\%$ ),  $\eta_2$  computed from  $r_2$  assumes values significantly different larger than zero ( $\overline{\eta_2} = 6.5 \pm 0.5\%$ ), albeit by not much. As to the smallness of the  $\eta_2$  values, lifetime reduction upon multiple labeling may occur, which may counteract the depolarizing effect of homo-FRET (see also the part on rFLIM in *Supporting information*). By ratioing the corresponding  $r_2$  and  $r_1$  anisotropies,  $T_0$  (and  $T$ ) have been obtained, which are substantially larger than the values ( $\overline{T_0} = 18.3 \pm 1.3\%$ ) belonging



to the singly labeled samples ( $\overline{T_0}=10.9\pm0.8\%$ ). Actually the  $T_0$  (and  $T$ ) values – or rather the rate constants computed as  $T_0/(1-T_0)$  – are approximately the sum of those for the corresponding singly labeled sample values. By taking also the increments in  $T_0$  and  $T$  ( $\delta T_0$ ,  $\delta T$ ) analogous to the  $\eta$ -s, we see that they ( $\overline{\delta T_0}=7.0\pm0.8\%$ ) are very close to the corresponding  $\eta_2$ - $\eta_1$  differences ( $8.1\pm1.0\%$ ), informing us on the fulfillment of the law laid down in Eq. 42. The very small deviations between the corresponding  $\delta T_0$  and  $\delta T$  values inform us about a large degree of tolerance of these quantities to the corrections with  $\beta$  and  $\gamma$  due to linearity of the formula defining  $T$  in terms of these quantities. Homo-FRET values of Part B measured on mAb-pairs report on an appearing excess homo-FRET, as compared to the single-mAbs, being each value of  $T_0$  (and  $T$ ) larger than the average  $T_0$  (and  $T$ ) for the corresponding individual mAbs ( $\overline{\delta T_0}=7.0\pm0.8\%$ ). This behavior is explained by the fact that these receptors are substantially associated with each others. The largest  $T_0$  (and  $T$ ) obtained by labeling all the three receptors, in Part C ( $\overline{T_0}=21.9\pm1.5\%$ ), reports on the existence of triplets of these receptors as expected based on the pair wise associations demonstrated in Part B. Accordingly the differential increments  $\eta_2$  and  $\delta T_0$  are the largest in this case ( $\eta_2=7.9\pm2.1\%$ ,  $\delta T_0=10.6\pm2.9\%$ ).

To reveal the properties of the above quantities concerning differences in dye tethering motion and antibody arm (Fab) flexibilities we carried out analogue experiments also with Fab fragments instead of whole mAbs, and xFITC dye instead of A488. The pertinent data are shown in Tables 1s and 2s in *Supporting information*. With these systems we observed essentially the same trends as for the A488-mAbs, implying that the results on the relative proximities yielded by our anisotropy ratio-based methodology are essentially label independent.

In addition to informing us about the same trends as by the case of whole mAbs, these data emphasize the utility of the homo-FRET efficiency for classifying homo-FRET on the single labeled samples made apparent by a clear dependence of the  $T_0$  and  $T$  efficiencies on the labeling ratio of the ligands, supported by the following observation: Comparing all the  $T_0$  and  $T$  values globally for the A488-Fab (Table 1s) and xFITC-mAb (Table 2s) cases with those for the A488-mAb case (Table 1), a clear dependence on the labeling ratio can be noticed: The FRET efficiencies are the smallest for A488-Fab case ( $\overline{T_0}=10.4\pm1.5\%$ ,  $\overline{L}=0.8\pm0.2$ ), medium for the A488-mAb case ( $\overline{T_0}=14.6\pm0.8\%$ ,  $\overline{L}=2.5\pm0.4$ ) and the largest for the xFITC-mAb case ( $\overline{T_0}=20.2\pm0.9\%$ ,  $\overline{L}=4.2\pm0.4$ ). Interestingly, considering the homo-FRET enhancements ( $\eta$ ) or the differences in the homo-FRET efficiency ( $\delta T_0$ ,  $\delta T$ ) the reversed order can be notified: These “differential” quantities are the smallest ( $\overline{\delta T_0}=4.0\pm1.2\%$ ) for the largest labeling ratios (xFITC-mAb), and larger for the smaller ones ( $\overline{\delta T_0}=7.9\pm1.5\%$  for A488-mAb,  $\overline{\delta T_0}=6.8\pm0.5\%$  for A488-Fab). The implication of this observation is that sensitivity of homo-FRET to receptor clustering is inversely proportional to the initial size of dye clusters on the ligands themselves dictated by their labeling ratio.

### *rFLIM on receptor trimers*

As an independent control for equipment, the above experiments on the receptor trimers have been done also on a polarized fluorescence lifetime imaging microscope working in the

frequency domain (rFLIM). In addition to the phase and modulation lifetime information relative anisotropy ( $\eta = \delta r/r$ ), modulation amplitude ( $\delta Y_{ac}/Y_{ac}$ ), and “differential tangent” ( $\delta \tan(\Delta\Phi)/\tan(\Delta\Phi)$ ) of the multiply labeled samples as compared to the pertinent single labeled intensity averages have been computed. In addition to proving the presence of homo-FRET between the labels and justifying the trends found with flow cytometry, the data also shed light a reduction of lifetime ( $\sim 5\text{-}10\%$ ) upon increasing the number of labels. This lifetime reduction – supposedly due to an increased rate of FRET towards dim dye complexes – mitigate the depolarization of homo-FFRET and tend to reduce the magnitudes of relative anisotropy changes ( $\eta$ ). Please see the details and data in Tables 3s, 4s in *Supporting information*.

### *Flow cytometric dot-plots and histograms measured on the receptor trimer multiply labeled with A488-Fabs*

Representative anisotropy ratio ( $r_2/r_1$ ) vs. intensity ratio ( $I_2/I_1$ ), intensity ( $I_1$ ,  $I_2$ ) dot-plots, and computed  $T_0$  histograms are shown in Figs. 8-10 for the single-, double- and triple-labeled cases, respectively, of the MHCII- $\beta_{2m}$ -MHCI h.c. receptor trimer. The  $r_2/r_1$  vs.  $I_2/I_1$  dot-plots demonstrate the directed migration FRET amongst the heterogeneous sites. The gradual decrease of the anisotropy ratio with increasing intensity ratio is due to that fact that FRET happens towards the lower energy sites. According to Figs. 8-10 Panels A, C, E, and Fig. 10 Panel A, the  $r_2/r_1$  vs.  $I_2/I_1$  dot-plots sensitively change as the number of applied labels increases. While  $I_2/I_1$  increases,  $r_2/r_1$  decreases with increasing number of applied labels, the smallest effect being observed on the singly labeled samples (Fig. 8 Panels A, C, E) and the largest one on the triply labeled one (Fig. 10 Panel A). An interesting feature is that the slope of the fitting trend line shows a systematic decrease as the number of labels is increased, an offset property supposedly due to the fact that the receptors are already homo-associated when they are singly-labeled with the Fabs. On Figs 8-10 also shown are the corresponding homo-FRET efficiency histograms ( $T_0$ ). At the first site it is clearly visible that the width of the  $T_0$  distribution strongly depends on the signal-to-noise ratio: being largest on the single-labeled samples (Fig. 8) and the smallest on the triple-labeled one (Fig. 10). Additional useful representations are the  $r_1$  vs.  $I_2/I_1$  and the  $r_2$  vs.  $I_2/I_1$  dot-plots (Fig. 10, Panels C, D). Remarkable feature is that while  $r_2$  decreases steadily with increasing  $I_2/I_1$ ,  $r_1$  shows a little increase. A possible reason can be that with red shifting the emission spectrum (increase in  $I_2/I_1$ ) the absorption is also shifted towards longer wavelengths implying a reduction in homo-FRET and a concomitant increase in anisotropy  $r_1$ , i.e. a further manifestation of the red-edge effect. If now the anisotropy ratio  $r_2/r_1$  is plotted against the  $I_1$  and  $I_2$  intensities (Fig. 10, Panels E, F), then while a reduction in  $r_2/r_1$  can be seen with increasing  $I_2$ , practically no change can be seen with increasing  $I_1$ .

## **Discussion**

### *Red-edge effects with tethered fluorophores*

Although originally it has been described for fairly viscous and rigid media, we observed the operation of inhomogeneous broadening and the associated red-edge effects for highly mobile tethered dyes. The existence of this phenomenon in this situation suggests a long-lasting stability of the solvent microenvironments around the fluorophores, i.e. environmental relaxation times falling on the scale of fluorescence lifetime or longer. This observation is in

good accordance with the previously reported  $\sim 0.4$  rotational strength ( $\tau/\phi_{\text{rot}}$ ) of the tethered dyes – implying a 10-nsec rotational correlation time ( $\phi_{\text{rot}}$ ) for a 4-nsec lifetime ( $\tau$ ) – observed with FRET-resolved donor anisotropy measurements [35], which has also been conformed with rFLIM ( $\tau^{\text{ph}}/\phi_{\text{rot}} = 0.42 \pm 0.04$ , as computed from data on single labeled cells in Tables 3s, 4s in *Supporting information*). The existence of inhomogeneous broadening also implies that homo-FRET does not exist in the strict sense of the word even for chemically identical dyes, because the unavoidable environmental heterogeneity endows them with spectral heterogeneity unless the environmental relaxation time is much smaller than the fluorescence lifetime. Site-selective spectroscopy offered the opportunity for the optimization of the excitation and detection conditions for establishing a homo-FRET sensitive and an insensitive detection channel [18]. The two main characteristic spectral manifestations of inhomogeneous broadening exploited in the optimization are that homo-FRET is favored for main-band excitation and red-edge emission, and suppressed for red-edge excitation and blue-edge emission. After establishing the FRET-sensitive and insensitive channels accordingly – 488 nm excitation/640 nm emission, and 514 nm excitation/535 nm emission – we were able to separate the rotational and FRET-contributions to the depolarization of fluorescence anisotropy by dropping out the rotational component via ratioing the anisotropies of the two detection channels. However, the homo-FRET efficiency  $T_0$  defined this way (Eq. 24) can be considered only as an approximation, because it rests on the assumption of identical  $\tau/\phi_{\text{rot}}$  ratios (“rotation strengths”) in the two channels and zero residual FRET in the insensitive channel. For correcting these shortcomings the spectral correction factors  $\beta$  and  $\gamma$  have been introduced (Eqs 17, 18) in the definition of another, the “true” homo-FRET efficiency  $T$  (Eq. 23), based on linear fitting of the reciprocal anisotropy vs. surface concentration Perrin-plots (Eq. 30). Nevertheless, the usefulness of the  $T_0$  is stressed by the fact that it can always be considered as a lower approximation of the true homo-FRET efficiency – i.e.  $T_0 \leq T$  – also in those cases when  $\beta$  and  $\gamma$  are not known and  $T$  can not be computed.

The elaboration of this method was substantially inspired by the publication of A. Squire *et al.* [10]. They called the attention for the possibility for separating the rotational and FRET contributions to the depolarization of anisotropy by utilizing red-edge absorption and illustrated the method with visible engineered proteins (VFP-s). Our intension was to generalize their approach by (i) choosing a much wider class of labels – such as surface tethered dyes – possessing also a substantially larger degree of tethering motion compared to VFP, which is practically immobile, (ii) taking into account not only the absorption red-edge, but also the emission blue-edge effect for optimization of homo-FRET suppression and detection, (iii) giving a theoretically firm basis for the separation of effects of homo-FRET and rotation by factorizing anisotropy according to Soleillet’s theorem [22-24], (iv) constructing an optical scheme which enables a “simultaneous” – up to the 30- $\mu$ sec delay-time of the green and blue laser lines in the flow cytometer, Fig. 2 – detection of the two anisotropies, which is necessary for a real-time monitoring of receptor dynamics.

### *Calibration of absolute homo-FRET determination*

An important feature of our absolute homo-FRET efficiency determination is that it does not require a calibration of the different sensitivities of the green and red channels, i.e. the problem of finding the best “ $\alpha$ -factor” for FRET is avoided [36] here. This problem is eliminated by the fact that two anisotropies are compared, which are absolute quantities being computed with intensity ratios. However, for the accurate FRET-efficiency calculation – according to Eq. 24 for  $T_0$  – the knowledge of the lifetime-rotational correlation time ratio in the two detection channels or at least their approximate equality is required, besides the

condition that homo-FRET should be zero in the insensitive channel. For a refinement of our methodology, we checked these properties for our mAbs, and determined the  $\beta$  and  $\gamma$  quantities (see Fig. 5s in *Supporting information*) describing the relative rotational strengths and homo-FRET rates in the two detection channels. We found  $\beta$  to be close to unity ( $\beta > 94\%$ ), and  $\gamma$  to be close zero ( $\gamma < 13\%$ ), independently of the type of the dye-carrier ligand and its labeling ratio, indicating that the A488-mAb systems are close to the ideal at the 488 and 514.5 nm excitation wavelengths.

According to direct lifetime measurements of the same mAbs with FLIM, the near equal rotational strengths manifested in  $\beta$  close to unity is corroborated by also the observation that the lifetimes measured in the red and green channels are approximately equal with each other (see Fig. 6s in *Supporting information*).

### *Homo-FRET efficiency and enhancement*

Absolute homo-FRET efficiency  $T_0$  (and  $T$ ) is distinct from the homo-FRET enhancement factors ( $\eta_2$ ) introduced earlier with the receptor trimers (Fig. 3). Although, the pair-wise and triple-wise homo-FRET-enhancements  $\eta_2$  shown on Fig. 3 give the same results qualitatively, they are only relative values and they can not be used for describing homo-FRET on the single-labeled samples. While the homo-FRET enhancement factors ( $\eta_2$ ) represent the change of homo-FRET efficiency caused by the application of a 2<sup>nd</sup> label (mAb, Fab),  $T_0$  represents the total homo-FRET efficiency, i.e. the amount of homo-FRET before a 2<sup>nd</sup> label (“starting homo-FRET”), plus the homo-FRET increment caused by binding of a 2<sup>nd</sup> label. Alternatively,  $\eta_2$  means the differential change in absolute homo-FRET efficiency caused by the introduction of a 2<sup>nd</sup> label:  $\eta_2 \approx T_0(\text{after } 2^{\text{nd}} \text{ label}) - T_0(\text{before } 2^{\text{nd}} \text{ label})$ , see also Eqs. 32, 42.

### *Intensity ratio-based homo-FRET efficiencies*

In addition to the anisotropy-based absolute homo-FRET efficiencies ( $T_0$ ,  $T$ ), the observation that homo-FRET leads to a gradual shift of emission wavelength to the red (Figs. 5, 6) may offer another possibilities for characterizing homo-FRET: An intensity-based quantity  $E_1$  may also be introduced.  $E$  may be defined as the relative change between the  $I_2$  and  $I_1$  intensities when the main-band (2<sup>nd</sup> channel) and the red-edge (1<sup>st</sup> channel) excitations are compared:

$$E_1 \equiv \alpha \cdot I_2 / I_1 - 1, \quad (43)$$

where  $\alpha$  is a correction factor taking into account the different sensitivities of the detection channels [36]. As a kind of calibration,  $\alpha$  can be fixed by making equal the two FRET efficiencies defined according to Eqs. 24, 43. This approach is supported by the observation that the  $r_2/r_1$  ratio is approximately a linearly decreasing function of  $I_2/I_1$  (Figs. 8-10) leading to approximately the same  $\alpha$  values independently of the receptor for a given optical adjustment of the cytometer. By computing the means of histograms of the  $\alpha$  quantity defined as

$$\alpha \equiv (2 - r_2/r_1) / (I_2/I_1), \quad (44)$$

we obtained:  $0.65 \pm 0.006$ , for the 7 samples displayed in Fig. 8-10. Besides  $\alpha$  histograms linear fitting of the  $r_2/r_1$  vs.  $I_2/I_1$  correlation diagrams could be used.

Alternatively, another quantity  $E_2$  can also be defined as a relative change of the  $I_{\text{red}}/I_{\text{green}}$  intensity ratio (like the  $I_2/I_1$  ratio on Figs. 5, 6, and 1s, 2s in *Supporting information*) when the main-band (2<sup>nd</sup> channel) and the red-edge (1<sup>st</sup> channel) excitations are compared (“differential intensity red shift”):

$$E_2 \equiv (I_{\text{red}}/I_{\text{green}})_1 / (I_{\text{red}}/I_{\text{green}})_2 - 1. \quad (45)$$

This quantity does not need calibration, the cost of which is the need for 2 extra detection channels: green detection at the main band ( $I_{\text{green},2}$ ), and red detection at the red-edge ( $I_{\text{red},1}$ ).

### *Applicability of the method*

This methodology enables the possibility for a quick – minute level – assessment of an otherwise only hardly accessible parameter, the absolute homo-FRET efficiency as freed from rotation effects in flow condition. Doing this in a single measuring act, the method is capable for real-time monitoring of receptor dynamics manifested in changing proximities and rotational mobility by using only a single type of dye. This same information can also be assessed by controlling fluorophore concentration via changing the amount of dye-tagged ligands for labeling of receptors, photobleaching and photon-saturation of the dye [4-9, 12-14]. However, these latter possibilities demand multiple samples, longer exposition times, or high illumination intensities precluding the real-time observations in living conditions in a flow cytometer. They are most suitable for microscopic applications. With this approach, we focused to flow cytometry, because this is the platform for a multiparametric quick assessment of cell-by-cell level correlations between parameters as diverse as inter-receptor proximities, receptor mobilities, ion concentrations, and membrane potential [40, 41]. Amongst the outstanding properties of flow cytometry is its high statistical precision, making possible investigations on weakly expressed receptors on very small cell populations, consequently the early diagnosis of diseases. Apart from flow cytometry, the method can also be applied in fluorescence microscopes capable for dual-anisotropy detection, e.g. via a quadrant image splitter making possible separation of light according to color and polarization. Furthermore, other types of receptors, not necessarily expressed on the cell surface and dye-targeting ligands other than mAbs could also be applied.

As to the utility of fluorophores, the major requirement is the high enough  $r_0$  limiting anisotropy – in addition the natural requirement for the small Stokes-shift for the large spectral overlap – to ensure adequate dynamic range for reduction of anisotropy due to homo-FRET. Further requirements are a substantial rotation on the time-scale of fluorescence and a tendency for inhomogenous broadening. For nonrotating, stiff chromophores – such as engineered visible proteins – this method is meaningless, albeit these systems are amongst the best candidates with respect to the detectibility of homo-FRET. A large class of fluorophores conjugatable to carriers, with chromophore groups directly exposed to the environment, amongst which the polarity dyes having large environmental sensitivity, seem to be amongst the best candidates because these have both rotational freedom and inhomogeneous broadening. Quantum dots may also be applicable, although their environmental sensitivity could be smaller due to shielding by a capping layer. As to studies of mosaicism of the lipid bilayer, morphology of membrane domains may be monitored by measurement of homo-FRET between e.g. the DPH, or BODIPY dyes [42], which may possess substantial rotational mobility besides homo-FRET.

Another advantage of the ratio-based homo-FRET determination may be that it is free from lifetime artifacts. Detecting homo-FRET could be hindered by a concentration and intensity dependent lifetime reduction as observed by us – see the lifetime values in Tables 3s, 4s as function of labeling ratio and the number of ligands added together and in [36] – and by others for dyes [42-45], and recently by Nedbal *et al.* for VFP [46]. Supposedly weakly fluorescing dye associates, “dim complexes” are behind this observation, which may reduce lifetime by self-quenching. This may increase fluorescence anisotropy, and mitigate the depolarizing effect of homo-FRET. This may explain that we observed rather modest homo-FRET enhancements (~10-15%) for the pairs of the receptor trimer [4] for which much larger hetero-FRET efficiencies (~20-30%) were observed earlier. In the present formalism based on anisotropy ratio, however, this effect drops out, because both the numerator and de-numerator are inflated by the same way.

As to the technical realization of the method, the main requirement is to ensure simultaneously the negligible homo-FRET and the high enough fluorescence signal at the red edge. By inspecting the homo-FRET rate curves for the 2<sup>nd</sup> fluorescence channel ( $A_2$ ) – the red curves of Fig. 5s Panels A-C-E in the *Supporting information* – we can see that the homo-FRET rate at the red-edge (514.5 nm) is practically zero. This implies that the homo-FRET insensitive signal can also be measured in the same, red fluorescence channel in which the sensitive one is measured, depending on the signal level dictated by biological and technical factors such as receptor expression level and light intensity for excitation.

## Conclusion

Red-edge effects have been demonstrated for the highly mobile mAb-tethered dyes targeted to membrane receptors. By exploiting site-selective spectroscopy, FRET-sensitive and insensitive channels have been established, which made possible an absolute determination of homo-FRET efficiency by ratioing the fluorescence anisotropies measured in the two channels. Although accurate determination of absolute homo-FRET efficiency requires – besides the high-enough limiting anisotropy  $r_0$  – a careful control of spectral characteristics such as relative homo-FRET rates ( $\gamma$ -factor) and relative rotation strengths ( $\beta$ -factor) on the actual FRET-sample, the homo-FRET efficiency  $T_0$  computed with a simple ratio of the anisotropies in the homo-FRET-sensitive and insensitive channels serves as a minimum for the true homo-FRET efficiency even in the lack of this spectral information. Based on the fact that the two anisotropies simultaneously detected, the method may be exploited in real-time monitoring of dynamical processes like conformational changes where both rotational mobility and inter-dye proximity can equally be affected. Although the method has been demonstrated in the context of flow cytometry it can be realized also in microscopes equipped with dual-laser excitation and dual-channel anisotropy detection facilities.

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**Acknowledgements:** Financial support for this work was provided by TÁMOP-4.2.2.A-11/1/KONV-2012-0045 project co-financed by the European Union and the European Social Fund, and OTKA Bridging Fund support OSTRAT/810/213 by the University of Debrecen. The authors are indebted to Dr. T. M. Jovin for using FLIM in the framework of a short term EMBO fellowship, ASTF No 201-06, to the Max Planck Institute for Biophysical Chemistry, Department of Molecular Biology, Göttingen to L. B. Thanks are due to Dr. M. Bagdány, for helpful discussions on FRET and his overview of possible applications of FRET in molecular genetics.

## Legend to figures

**Fig. 1** Cartoons explaining how inhomogeneous broadening induces directed FRET migration. Panel A: Illustration of the mechanism for FRET directionality. A dye with absorption spectrum  $ab_0$  (blue) and emission spectrum  $em_0$  (red) transfers energy with larger probability to dye with absorption spectrum at longer wavelengths like  $ab_2$  (green) than to

those with absorption spectrum at shorter wavelength like  $ab_1$  (violet), due to the larger spectral overlap for FRET. While the overlap between  $em_0$  and  $ab_2$  is larger than the overlap between  $em_0$  and  $ab_0$  with the green portion (with apex  $c_2$ ), the overlap between  $em_0$  and  $ab_1$  (violet area with apex  $c_1$ ) is smaller than the overlap between  $em_0$  and  $ab_0$  with the blue portion (with apex  $c_0$ ). This leads to net energy migration in the direction of decreasing energy levels, like water flows from the hills towards the valleys [16, 20]. The emission spectrum  $em_0$  is shifted to the right as compared to  $ab_0$  due to the Stokes-shift. The emission spectra belonging to absorption spectra  $ab_1$  and  $ab_2$  are not indicated.

Panel B: Energy level diagrams for the potential FRET donors (left) and acceptors (right) from an ensemble of a given type of dye. The different solvent microenvironments introduce energetic heterogeneity in the dye population by splitting up a single energy level (the middle one at yellow) into a set of sublevels (3 new levels above and under the middle one). The rainbow-colored contour to the right of the energy ladders represents the population distribution on the energy levels. Directionality in FRET is introduced by the fact that – due to the Stokes-shift, which is not indicated for easiness – overlap integral is larger for those acceptor levels which lie under the donor level from which FRET starts out [16, 20] (see also Panel A). A consequence is that FRET predominantly happens towards acceptors of energy levels lower than for the donor leading to a FRET-correlated red shift of the emitted light. For the same reason, the potential acceptor subpopulations for FRET directed from the lower lying donor levels, i.e. at the red-edge, are severely restricted, manifested in the loss of FRET. Similarly, when selectively monitoring the blue-emitting dyes, i.e. at the emission blue-edge, these species can be potential FRET acceptors only for the very few donors lying upwards in energy, implying a corresponding loss of FRET. Our method is based on an optimal choice of a FRET sensitive (absorption at the main-band and detection at the red) and an insensitive (absorption at the red-edge and detection close to the blue-edge) anisotropy channel. Determination of an absolute homo-FRET efficiency may be possible by the elimination of the dependence on rotation by ratioing the two anisotropies, whenever they have equal sensitivities for the rotation.

**Fig. 2** *Optical layout of dual-laser homo-FRET and detected signals.* The beam of an  $Ar^+$ -laser in “all lines” mode – only two excitation colors are displayed for convenience – is fed into the cytometer through a “Fresnel double-rhomb” polarization rotator (PR) and a “Pellin-Broca prism” serving for a  $90^\circ$  achromatic beam deflection and beam-separation according to colors. The fluorescence is collected by a lens ( $L_2$ ), directed after the long-path filter (LPF) by a dichroic mirror beam-splitter (DM) towards the polarization beam-splitter cubes ( $PBS_1$ ,  $PBS_2$ ), which together with the respective band-pass filters ( $BPF_1$ ,  $BPF_2$ ) realize the “green (1<sup>st</sup>)” and “red (2<sup>nd</sup>)” anisotropy channels. “Single-laser line” and “dual-laser line” operations are realized by manual setting the laser resonator for a chosen wavelength, and by cutting the fluorescence spots activated by the unnecessary laser lines by mechanical obscuration (a pair of appropriately positioned pinholes), respectively. In the illustration from the 5 main visible laser lines only the 488 nm- and 514.5 nm-ones are indicated, which realize the main-band and red-edge excitations for the A488 and xFITC dyes.

**Fig. 3** *Cartoon of a receptor trimer with the measured quantities.* Logical scheme of homo-FRET measurements in receptor trimers. The encircled numbers designate the receptors with the  $I_x$ ,  $I_y$ ,  $I_z$  intensities and  $r_x$ ,  $r_y$ ,  $r_z$  anisotropies measurable after singly labeling with the respective mAbs. The  $I_{xy}$ ,  $I_{xz}$ ,  $I_{yz}$  intensities and the  $r_{xy}$ ,  $r_{xz}$ ,  $r_{yz}$  anisotropies can be measured

after pair wise labeling with the respective mAbs. The  $I_{xyz}$  intensity and the  $r_{xyz}$  anisotropy can be measured after triply labeling with all the mAbs. The homo-FRET enhancement factors  $\eta_{xy}$ ,  $\eta_{xz}$ ,  $\eta_{yz}$  are defined in terms of the relative decreases of the pair wise anisotropies as compared to the intensity weighted averages of the respective anisotropies of the singly labeled samples. The homo-FRET enhancement factor  $\eta_{xyz}$  is defined in terms of the relative decrease of the triple anisotropy as compared to the intensity weighted average of the anisotropies of the three singly labeled samples. The differential homo-FRET enhancement factor  $d\eta_{xyz}$  is defined in terms of the relative decrease of the triple anisotropy as compared to the intensity weighted average of the pair wise anisotropies of the three doubly labeled samples.

**Fig. 4** *Cartoon of Soleillet's cones.* Panel A: At red-edge excitation the two factors determining the anisotropy  $r_1$  are the rotations taking place at times scale much shorter than that for fluorescence decay and slower rotations to which orientational cones of  $\theta_0$  and  $\theta_{rot}$  half-cone angles are associated. The quick rotations described by  $\theta_0$  determine the initial anisotropy  $r_0$ . The net orientation cone is obtained as the convolution of the cones for the two rotations. Panel B: At the main-band excitation, for anisotropy  $r_2$ , the previous orientation cones should be extended with that for homo-FRET, described by the  $\theta_t$  half-cone angle. The net orientation cone is obtained as the convolution of the two cones for rotation and that for homo-FRET. Depolarization factors ( $d_0$ ,  $d_{rot}$ ,  $d_t$ ) can be assigned to the cones, the product of which gives the net depolarization for the case of axial symmetry and independence.

**Fig. 5** *Dispersion of homo-FRET titration curves according to the color of exciting light.* Panels A, B: Drop of anisotropy  $r_1$  and  $r_2$  with increasing degree of saturation of the receptor MHCII labeled with the dye-conjugated mAb L243 for the main lines of the  $Ar^+$ -laser. "Degree of binding site saturation" has been defined as the ratio of fluorescence intensity measured at the given mAb concentration and the plateau value obtained at saturation. Values 535 and 640 refer to the detected  $535 \pm 17.5$  and  $640 \pm 60$  bands. Panels C, D: Relative intensities ( $I_2/I_1$ ) and relative anisotropies ( $r_2/r_1$ ) as functions of the relative saturation. Panels E, F:  $[I_2/I_1]_{rel}$  refers to the  $I_2/I_1$  ratio normalized to the value belonging to the smallest fluorophore concentration,  $[I_{2vh}/I_{1vh}]_{rel}$  designates an analogue quantity but computed from the horizontally polarized intensity components instead of the total intensity (with the excitation and emission wavelengths in parantheses). This quantity is a more sensitive indicator of homo-FRET than either the pure  $I_2/I_1$  or the  $r_2/r_1$  ratio alone, the anisotropy and total intensity being contained in such a manner that the effects of reducing anisotropy and increasing  $I_2/I_1$  ratio add together:  $I_{vh} \propto (1-r) \cdot I_{tot}$ . The curves report that homo-FRET can be more sensitively detected in the red channel than in the green one. Furthermore, excitations below 476.5 nm are more favorable for FRET than above it. Absolute homo-FRET efficiency can be calculated the most accurately in the 488/640, 514.5/535 measuring conditions, which are the most and the least sensitive to homo-FRET. Trend lines are drawn for guiding the eye. Means of 3 determinations are plotted with SEM under 10% for each data point (not indicated).

**Fig. 6** *Dispersion of homo-FRET in A488-mAb trimers.* Pair-wise and triple-wise homo-FRET were measured in the system comprised of the light and heavy chains of the MHCII molecule (L368, W6/32 whole mAbs) and the MHCII molecule (L243 mAb). L designates the dye-per-protein labeling ratio of the mAbs. The same signals were detected as for recording the homo-FRET titration curves of Fig. 1. Panels A, B:  $r_1$  and  $r_2$  are the anisotropies detected in the

green and red channels. Panels C, D: The corresponding pair-wise homo-FRET enhancement factors are  $\eta_1$ ,  $\eta_2$ . The differential enhancement factors are  $d\eta_1$ ,  $d\eta_2$ . Panels E, F: Ratios of total intensities ( $I_2/I_1$ ) and of anisotropies ( $r_2/r_1$ ). Note that the  $I_2/I_1$  intensity ratio goes through a maximum at 488 nm. Absolute homo-FRET efficiency can be calculated the most accurately in the 488/640, 514.5/535 measuring conditions, which are the most and the least sensitive to homo-FRET, respectively. Means of 3 determinations are plotted with error bars indicating SEM for each data point. Pertinent data on A488-Fabs, xFITC-mAbs are shown on Fig. 1s, 2s in *Supporting information*.

**Fig. 7** *Fluorimetric spectral recordings on samples triple-labeled with A488-mAbs. Panels A, B: Emission and anisotropy spectra ( $I(\lambda)$ ,  $r(\lambda)$ ) parameterized with the excitation wavelength (with a 5-nm slit width). The significant shift of 6-7 nm in emission spectrum observed at 514 nm-excitation suggests that a substantial degree of static inhomogeneous broadening should be behind the observed red-edge effects. Panels C, D: Spectra normalized to those at 514-nm excitation. Pertinent spectra for xFITC-mAbs are shown in Fig. 3s of *Supporting information*.*

**Fig. 8** *Representative flow cytometric dot-plots and histograms measured on the receptor trimer MHCII- $\beta_2m$ -MHCI h.c. singly labeled with the indicated A488-Fabs. Panels A, C, E: Anisotropy ratio ( $r_2/r_1$ ) vs. intensity ratio ( $I_2/I_1$ ) scatter-plots. The gradual decrease of  $r_2/r_1$  with increasing  $I_2/I_1$  is an indication of increasing homo-FRET. Panels A, C, E: Absolute homo-FRET efficiency  $T_0$  distributions computed with the  $r_1$  and  $r_2$  distributions. Pertinent statistical data are found in Table 1s, Part A, *Supporting information*.*

**Fig. 9** *Representative flow cytometric dot-plots and histograms measured on the receptor trimer MHCII- $\beta_2m$ -MHCI h.c. doubly labeled with the indicated A488-Fabs. Panels A, C, E: Anisotropy ratio ( $r_2/r_1$ ) vs. intensity ratio ( $I_2/I_1$ ) scatter-plots. The gradual decrease of  $r_2/r_1$  with increasing  $I_2/I_1$  is an indication of increasing homo-FRET. Panels A, C, E: Absolute homo-FRET efficiency  $T_0$  distributions computed with the  $r_1$  and  $r_2$  distributions. Pertinent statistical data are found in Table 1s, Part B, *Supporting information*.*

**Fig. 10** *Representative flow cytometric dot-plots and histograms measured on the receptor trimer MHCII- $\beta_2m$ -MHCI h.c. triply labeled with the indicated A488-Fabs. Panel A: Anisotropy ratio ( $r_2/r_1$ ) vs. intensity ratio ( $I_2/I_1$ ) scatter-plot. The gradual decrease of  $r_2/r_1$  with increasing  $I_2/I_1$  is an indication of increasing homo-FRET. Panel B: Absolute homo-FRET efficiency  $T_0$  distribution computed with the  $r_1$  and  $r_2$  distributions. Panel C: Green channel anisotropy ( $r_1$ ) vs. intensity ratio ( $I_2/I_1$ ) scatter-plot. Panel D: Red channel anisotropy ( $r_2$ ) vs. intensity ratio ( $I_2/I_1$ ) scatter-plot. Panel E: Anisotropy ratio ( $r_2/r_1$ ) vs. green channel intensity ( $I_1$ ) scatter-plot. Panel F: Anisotropy ratio ( $r_2/r_1$ ) vs. red channel intensity ( $I_2$ ) scatter-plot. Pertinent statistical data are found in Table 1s, Part A, *Supporting information*.*

Table 1. Fluorescence anisotropies ( $r_1$ ,  $r_2$ ), homo-FRET enhancements ( $\eta_1$ ,  $\eta_2$ ) and anisotropy ratio-based absolute homo-FRET efficiency (T) for the MHCII- $\beta_2m$ -MHCI h.c. receptor trimer labeled with A488-conjugated mAbs on the surface of Kit-225-K6 cells

Alexa Fluor-488-conjugated whole mAbs						Spectral correction factors (%)		Anisotropies (%)		Homo-FRET parameters					
mAb <sub>x</sub> <sup>a)</sup>	Epitope <sub>x</sub>	mAb <sub>y</sub> <sup>a)</sup>	Epitope <sub>y</sub>	mAb <sub>z</sub> <sup>a)</sup>	Epitope <sub>z</sub>	$\beta$ <sup>b)</sup>	$\gamma$ <sup>b)</sup>	$r_1$ <sup>c)</sup>	$r_2$ <sup>c)</sup>	Enhancements (%)		Efficiency (%)			
										$\eta_1$ <sup>d)</sup>	$\eta_2$ <sup>d)</sup>	Uncorrected		Corrected	
												$T_0$ <sup>e)</sup>	$\delta T_0$ <sup>e)</sup>	$T$ <sup>f)</sup>	$\delta T$ <sup>f)</sup>
Part A, single-labeled															
L243	MHCII, DR $\alpha$	-	-	-	-	100.0	5.8	13.9	11.9	-	-	12.4	-	13.2	-
								$\pm 0.5^g)$	$\pm 0.5$			$\pm 3.8$		$\pm 4.1$	
-	-	L368	$\beta_2m$	-	-	94.5	7.3	15.5	13.9	-	-	9.9	-	16.1	-
								$\pm 0.5$	$\pm 0.5$			$\pm 1.1$		$\pm 1.1$	
-	-	-	-	W6/32	MHCI, h.c.	96.0	13.0	15.9	14.2	-	-	10.4	-	16.1	-
								$\pm 1.3$	$\pm 1.5$			$\pm 2.4$		$\pm 2.7$	
Part B, double-labeled															
L243	MHCII, DR $\alpha$	L368	$\beta_2m$	-	-	98.0	6.4	14.9	12.1	-2.7	5.5	18.8	7.3	21.9	7.7
								$\pm 0.1$	$\pm 0.1$	$\pm 1.4$	$\pm 1.4$	$\pm 0.1$	$\pm 2.8$	$\pm 0.2$	$\pm 3.0$
L243	MHCII, DR $\alpha$	-	-	W6/32	MHCI, h.c.	98.5	8.6	15.1	12.1	-3.4	6.4	20.2	8.3	23.4	8.8
								$\pm 0.3$	$\pm 0.7$	$\pm 4.3$	$\pm 1.1$	$\pm 3.0$	$\pm 4.6$	$\pm 3.5$	$\pm 4.9$
-	-	L368	$\beta_2m$	W6/32	MHCI, h.c.	95.0	10.1	15.6	13.1	-0.1	6.1	15.9	5.5	22.1	5.8
								$\pm 0.8$	$\pm 0.6$	$\pm 2.6$	$\pm 1.6$	$\pm 0.2$	$\pm 0.8$	$\pm 0.2$	$\pm 0.9$
Part C, triple-labeled															
L243	MHCII, DR $\alpha$	L368	$\beta_2m$	W6/32	MHCI, h.c.	97.0	8.2	15.5	12.1	-4.3	7.9	21.9	10.6	26.2	11.1
								$\pm 0.4$	$\pm 0.5$	$\pm 0.9$	$\pm 2.1$	$\pm 1.5$	$\pm 2.9$	$\pm 1.7$	$\pm 3.0$

- a) Dye/protein labeling ratios of the mAbs:  $L_{A488-L243-mAb}=2.4$ ,  $L_{A488-L368-mAb}=3.16$ ,  $L_{A488-W6/32-mAb}=1.8$ .
- b) Correction factors have been determined according to Eqs. 17, 18, 30, 31 for each mAb. Correction factors for the mAb<sub>i</sub>-mAb<sub>j</sub> pairs (i, j=x, y, z) and the mAb<sub>x</sub>-mAb<sub>y</sub>-mAb<sub>z</sub> triplet are intensity weighted averages of the factors for the corresponding individual mAbs.
- c) Anisotropies  $r_1$  and  $r_2$  have been measured in the homo-FRET insensitive (514.5 nm-excitation, 535 nm emission) and sensitive (488 nm-excitation, 640 nm emission) channels, respectively.
- d) Homo-FRET efficiency enhancements  $\eta_1$  and  $\eta_2$  have been computed as relative anisotropy reductions due to the introduction of a 2<sup>nd</sup> label as compared to the intensity weighted average anisotropy of the corresponding single-labeled samples (Eqs. 7, 8).
- e) Absolute homo-FRET efficiency  $T_0$  was computed as the relative difference between the homo-FRET sensitive ( $r_2$ ) and insensitive ( $r_1$ ) anisotropy:  $T_0 \equiv 1 - r_2/r_1$ .  $\delta T_0$  means the absolute difference between the homo-FRET efficiency of the multiply (doubly or triply) labeled samples and the intensity weighted average for the corresponding singly-labeled samples.

- f) Spectral corrections have been made according to Eq. 23.
- g) The values designate averages and their associated standard errors (SEM) for 3 measurements.

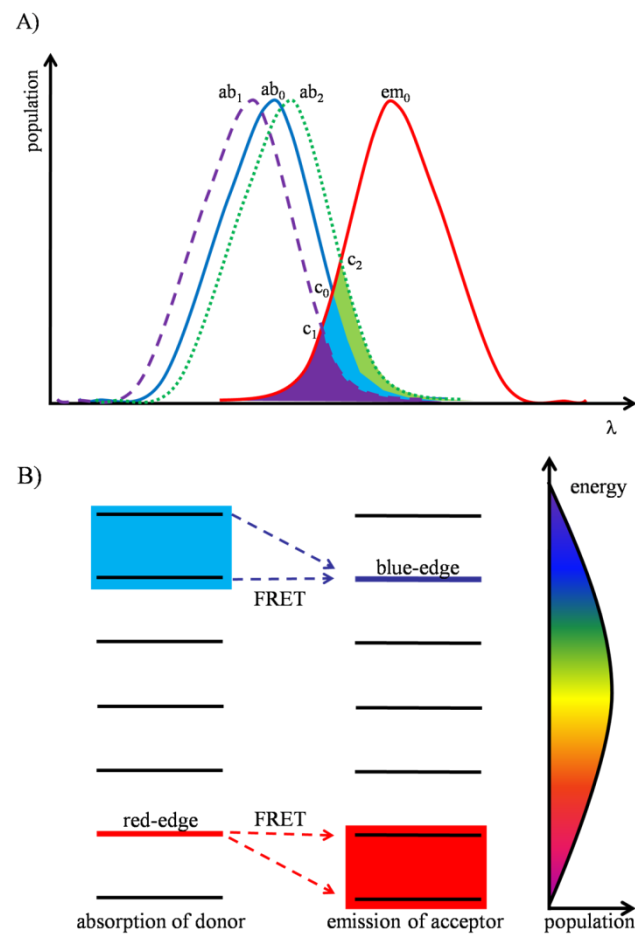


Figure 1

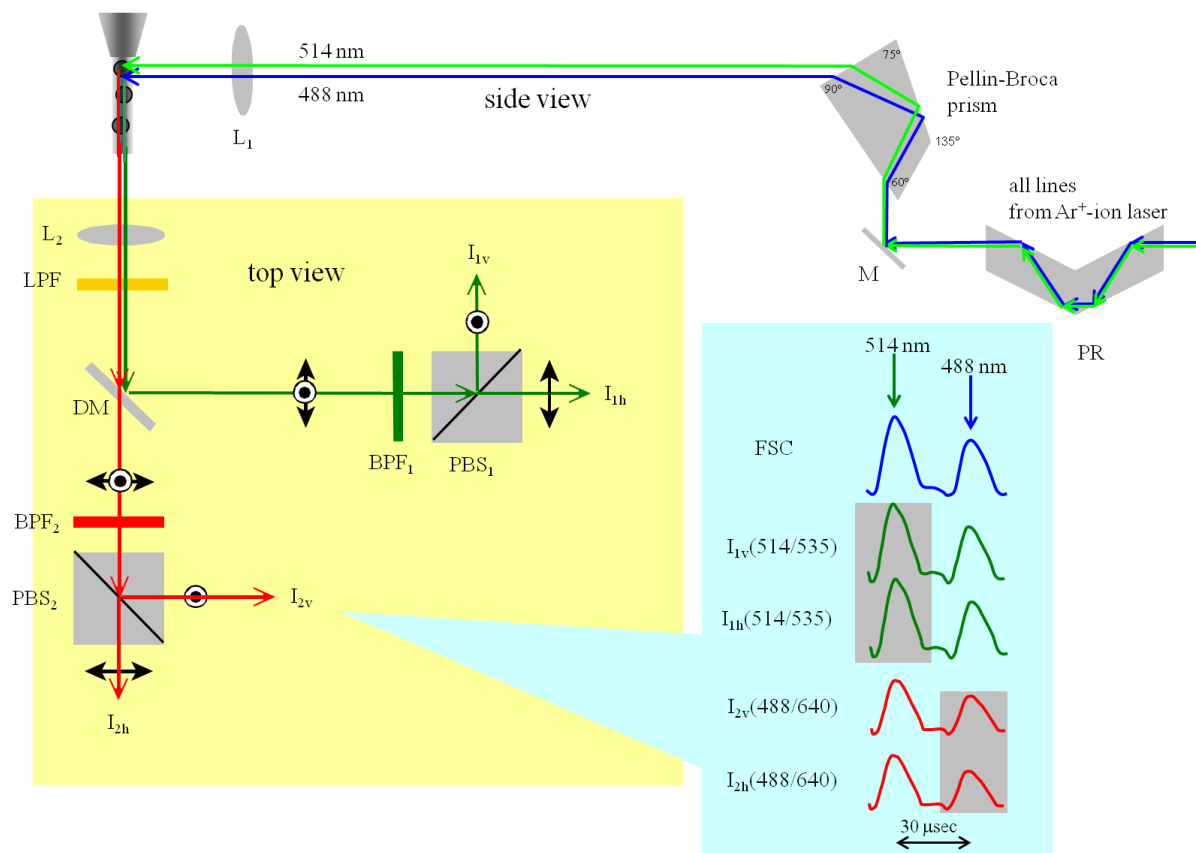


Figure 2



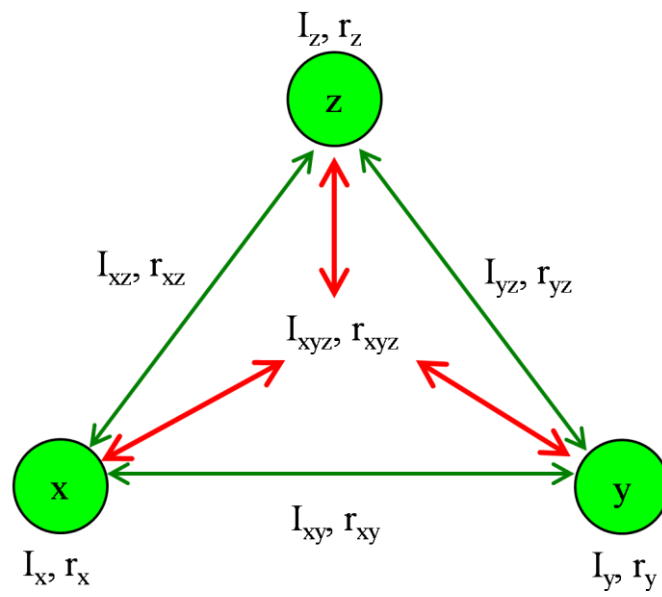


Figure 3

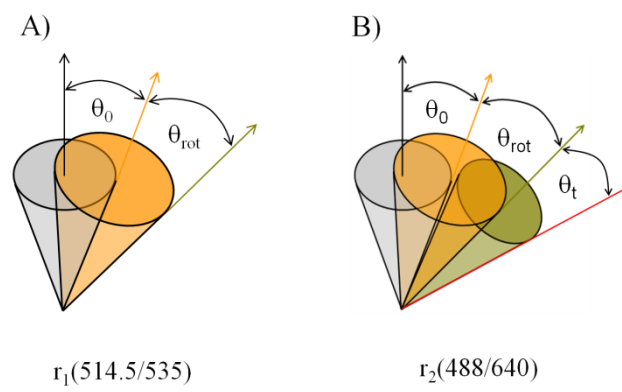


Figure 4

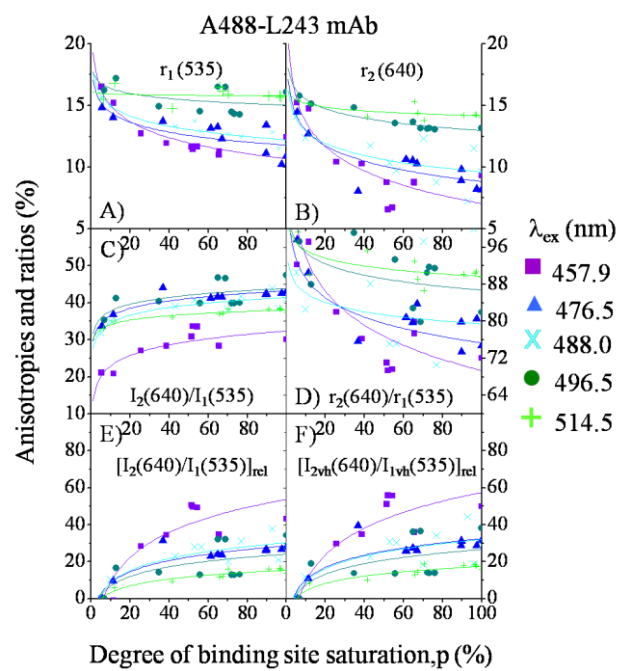


Figure 5

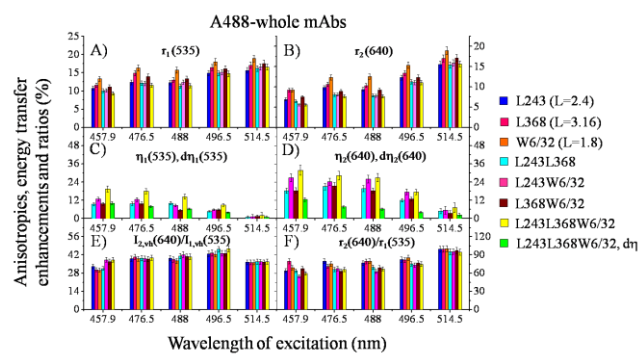


Figure 6

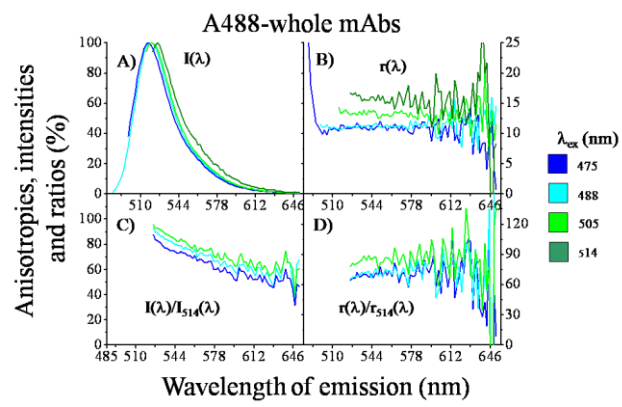


Figure 7

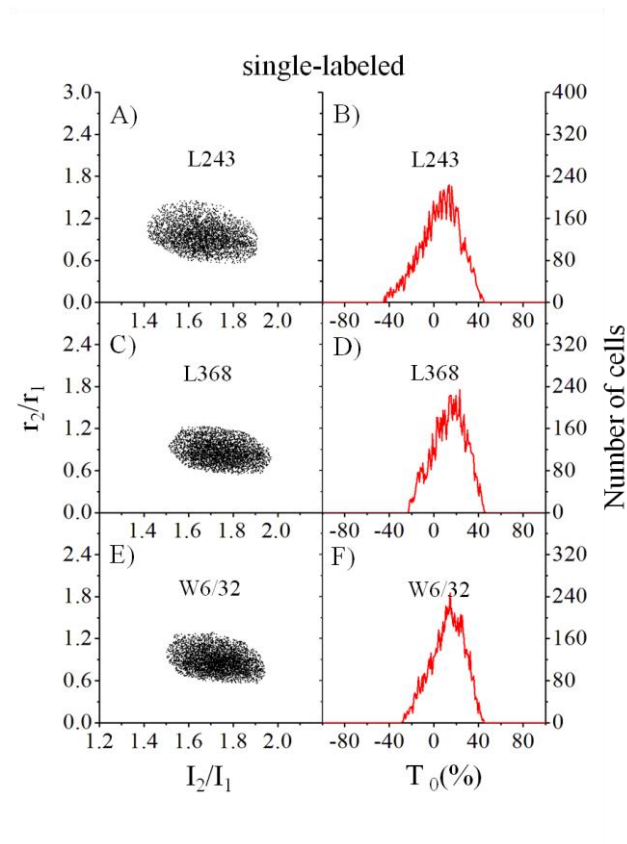


Figure 8

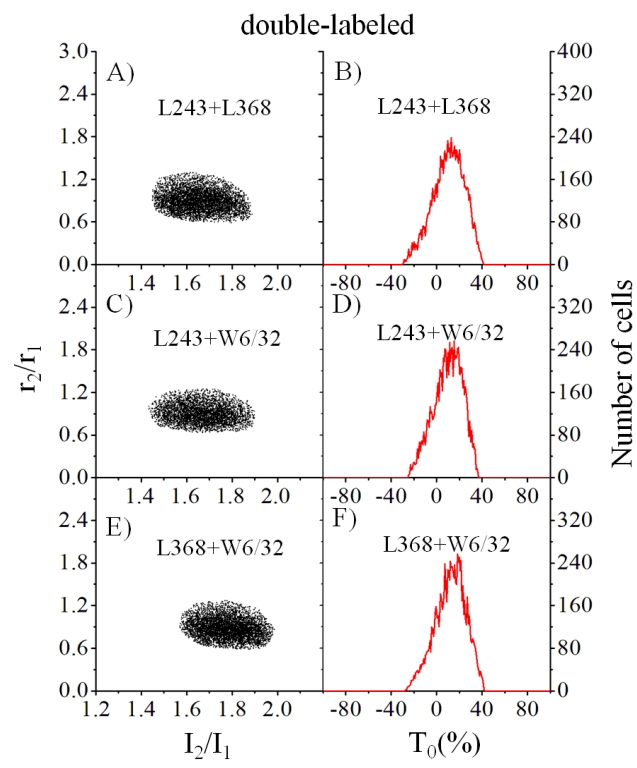


Figure 9

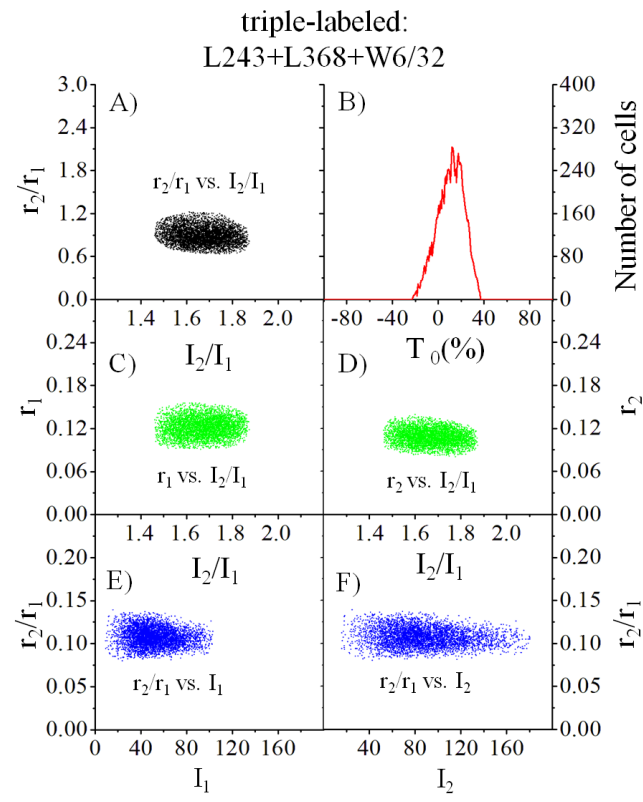


Figure 10